

Photoproduction of eta-mesons in the presence of a narrow $P_{11}(1675)$ resonance

- ❖ introduction
- ❖ the isobar model EtaMaid
- ❖ t-channel exchanges: poles vs. Regge trajectories
- ❖ $D_{15}(1675)$ resonance vs. narrow $P_{11}(1675)$
- ❖ summary

η - M A I D

- EtaMaid 2001

W.-T Chiang
C. Bennhold
D. Drechsel
L.T.

Born terms in s- and u-channel

ρ, ω pole terms in t-channel

N^* resonances:

D13(1520), S11(1535), S11(1650), D15(1675)
F15(1680), D13(1700), P11(1710), P13(1720)

- ReggeMaid 2003

W.-T. Chiang
M. Vanderhaeghen
L.T.

Born terms

ρ, ω Regge trajectories

N^* resonances:

D13(1520), S11(1535), S11(1650), D15(1675)

- EtaMaid 2006

A. Fix
M. Polyakov
L.T.

Regge isobar model as ReggeMaid2003

with additional narrow P11(1675) resonance

MAID

the Mainz-Dubna Unitary Isobar Model

$$t_{\gamma,\pi}^{\alpha} = v_{\gamma,\pi}^{\alpha} (\text{Born} + \omega, p) (1 + i t_{\pi,\pi}^{\alpha})$$

K-matrix unitarization

$$+ t_{\gamma,\pi}^{\alpha} (\text{Resonances}) e^{i \Phi(W)}$$

unitarization phase
determined by the Watson theorem, below 2π threshold
relaxed above 2π threshold

ETA-MAID

uses a simpler approach without unitarization

$$t_{\gamma,\eta} = v_{\gamma,\eta}(Born + \omega, \rho) + t_{\gamma,\eta}(Resonances)$$

◀

what is missing:

influence of other coupled channels

possibly: $K\Lambda$, $K\Sigma$, ...

Born terms do not play an important role in eta production

$$g^2/4\pi \sim 0.1$$

Vector meson exchanges of ω, ρ in the t-channel
can be treated in 2 different ways:

1. as t-channel poles (with additional form factors)
2. as Regge trajectories (giving rise to questions
about duality and double counting)

Regge Trajectory Exchanges

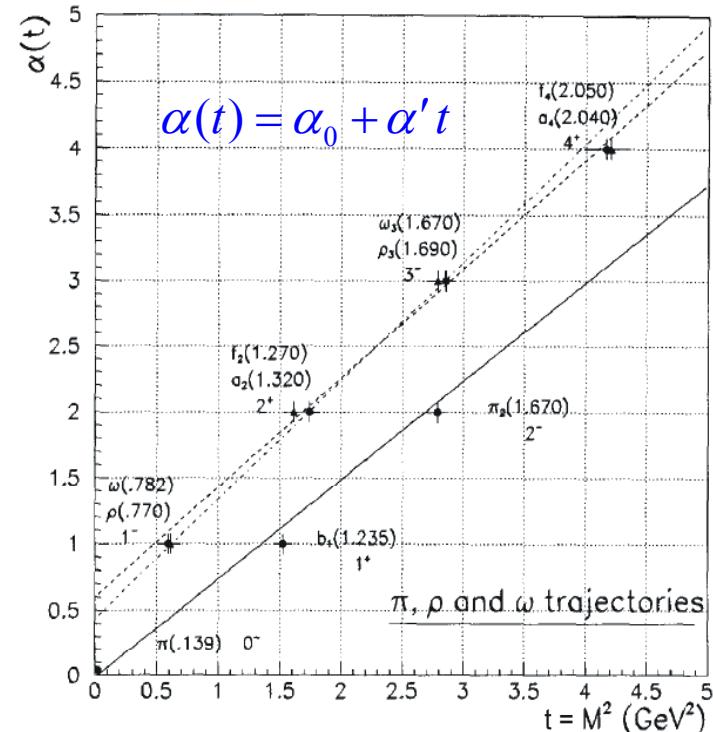
At **high s** and **low t** , it is known that meson photoproduction can be well described by Regge trajectories in the t -channel.

Replace **pole-like propagator**

$$P_{\text{pole}}^V = \frac{1}{t - m_V^2}$$

With **Regge propagator**

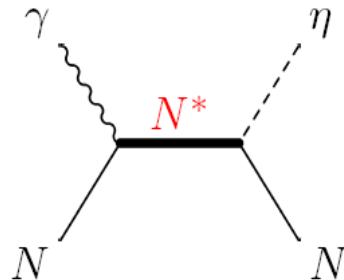
$$P_{\text{Regge}}^V = \left(\frac{s}{s_0} \right)^{\alpha_V(t)-1} \frac{\pi \alpha'_V}{\sin(\alpha_V(t))} \frac{S_V + e^{-i\pi\alpha_V(t)}}{2} \frac{1}{\Gamma(\alpha_V(t))}$$



The idea is to economically take into account the exchanges of high-spin particles in the t -channel which cannot be neglected at higher energies

Resonances

Breit-Wigner form



$$\begin{pmatrix} E_{\ell\pm} \\ M_{\ell\pm} \end{pmatrix} = \begin{pmatrix} \tilde{E}_{\ell\pm} \\ \tilde{M}_{\ell\pm} \end{pmatrix} f_{\gamma N}(W) \frac{\Gamma_{tot} W_R}{W_R^2 - W^2 - iW_R \Gamma_{tot}} f_{\eta N}(W) C_{\eta N} \zeta_{\eta N}$$

isospin factor $C_{\eta N} = -1$

$$f_{\eta N}(W) = \left[\frac{1}{(2j+1)\pi} \frac{k}{|\mathbf{q}|} \frac{m_N \Gamma_{\eta N}}{W_R \Gamma_{tot}^2} \right]^{1/2}$$

$$\Gamma_{\eta N} = \beta_{\eta N} \Gamma_R \left(\frac{|\mathbf{q}|}{|\mathbf{q}_R|} \right)^{2\ell+1} \left(\frac{X^2 + \mathbf{q}_R^2}{X^2 + \mathbf{q}^2} \right)^\ell \frac{W_R}{W}$$

$$\Gamma_{tot} = \Gamma_{\eta N} + \Gamma_{\pi N} + \Gamma_{\pi\pi N}$$

$$f_{\gamma N}(W) = 1$$

$\zeta_{\eta N} = \pm 1$: hadronic phase

8 resonances are included in η -MAID :

D₁₃(1520) very important

S₁₁(1535) most important

S₁₁(1650) very important

D₁₅(1675) very important

F₁₅(1680) less important

D₁₃(1700) unimportant

P₁₁(1710) important

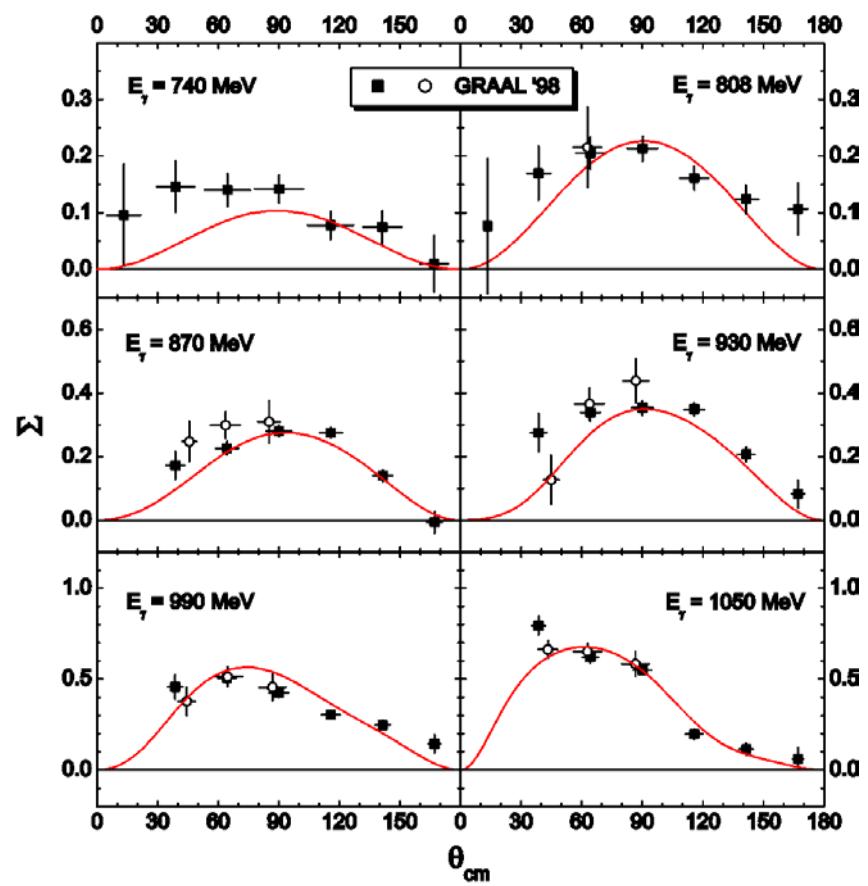
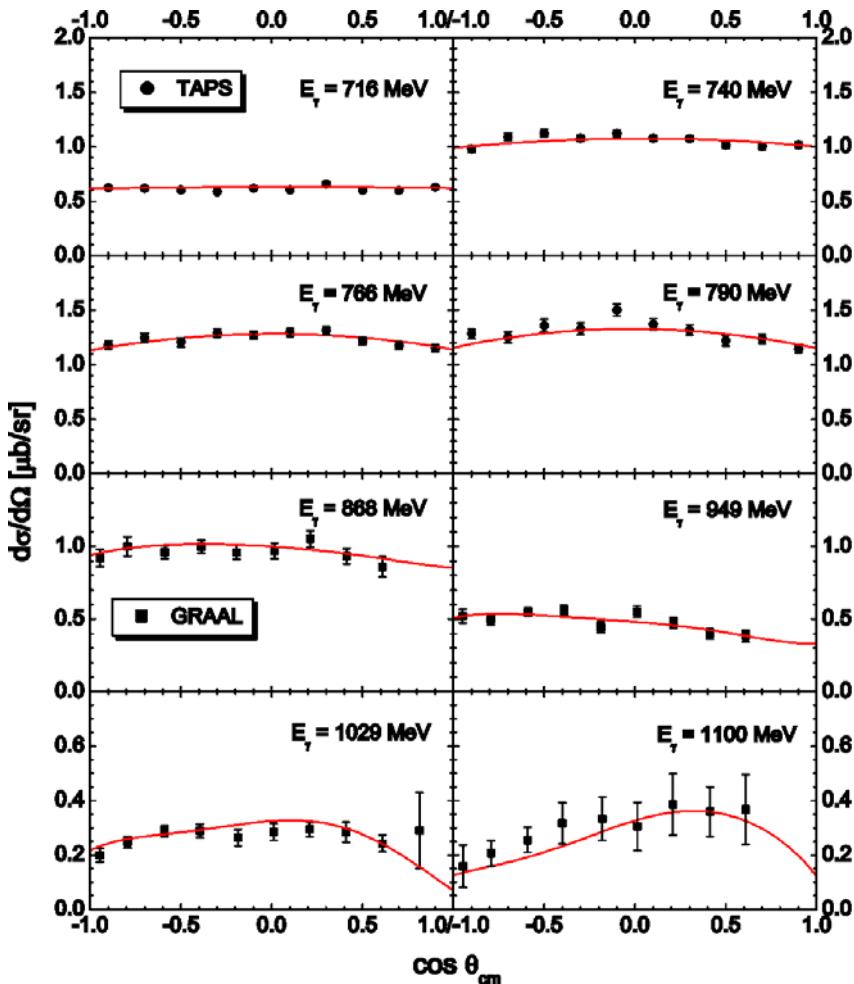
P₁₃(1720) unimportant

Resonance Parameters from η -MAID 2001

N^*	mass	width	$\beta_{\eta N}$	$\zeta_{\eta N}$	proton		neutron (PDG/SQTM)	
					$A_{1/2}^p$	$A_{3/2}^p$	$A_{1/2}^n$	$A_{3/2}^n$
$D_{13}(1520)$	1520	120	0.06%	1	-52	166	-41	-135
$S_{11}(1535)$	1541	191	50.%	1	118	-	-97	-
$S_{11}(1650)$	1638	114	8.%	-1	68	-	-56	-
$D_{15}(1675)$	1665	150	17.%	-1	18	24	-43	-58
$F_{15}(1680)$	1682	130	0.06%	1	-21	124	52	-41
$D_{13}(1700)$	1700	100	0.3%	-1	-18	-2	0	-3
$P_{11}(1710)$	1720	100	26.%	1	23	-	-2	-
$P_{13}(1720)$	1720	150	3.%	-1	18	-19	1	-29

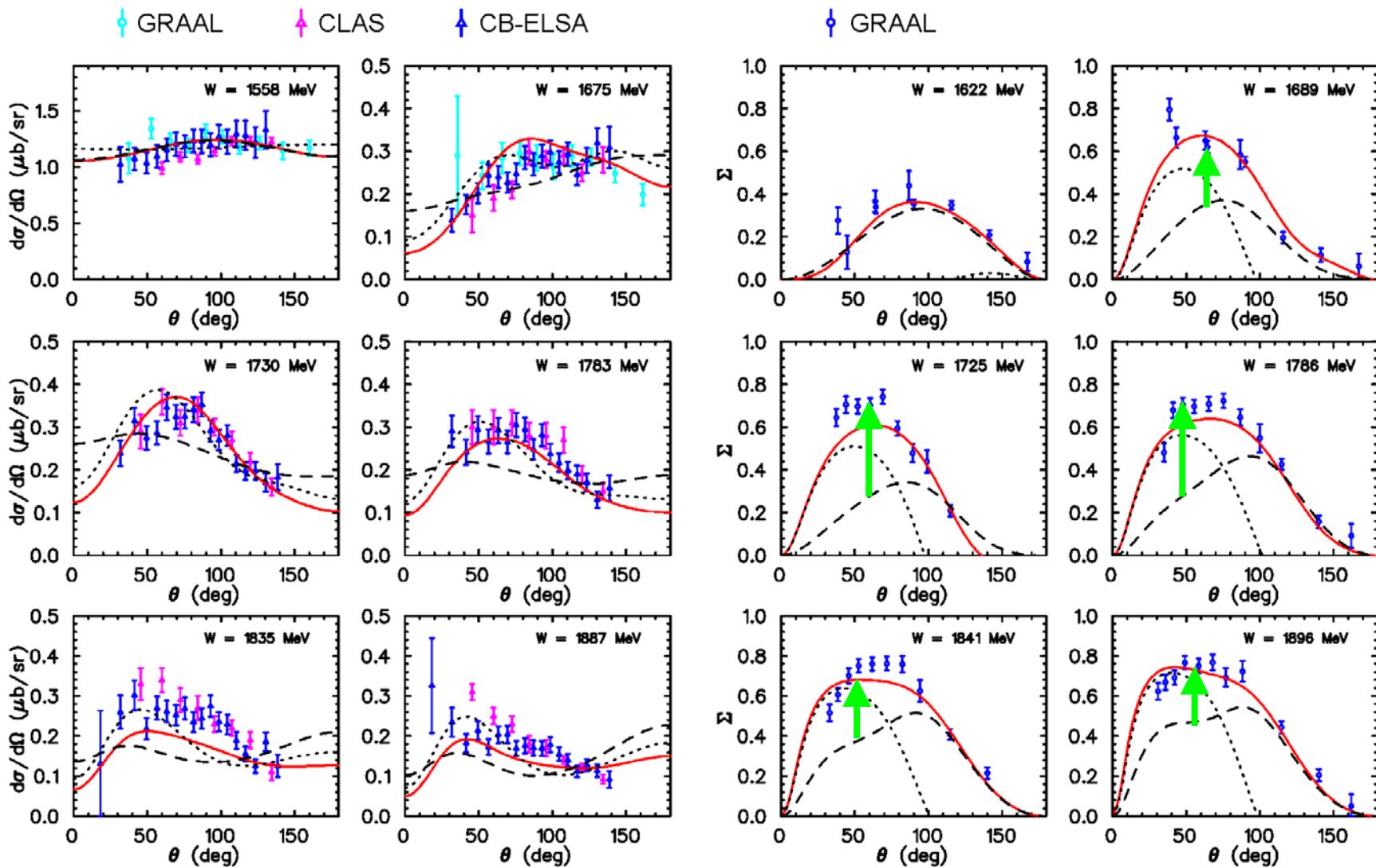
Numbers in red are fitted parameters:
photo couplings are fitted in reasonable ranges
strong ηN coupling is more freely varied

Eta-Maid 2001 compared to data from TAPS@Mainz and GRAAL

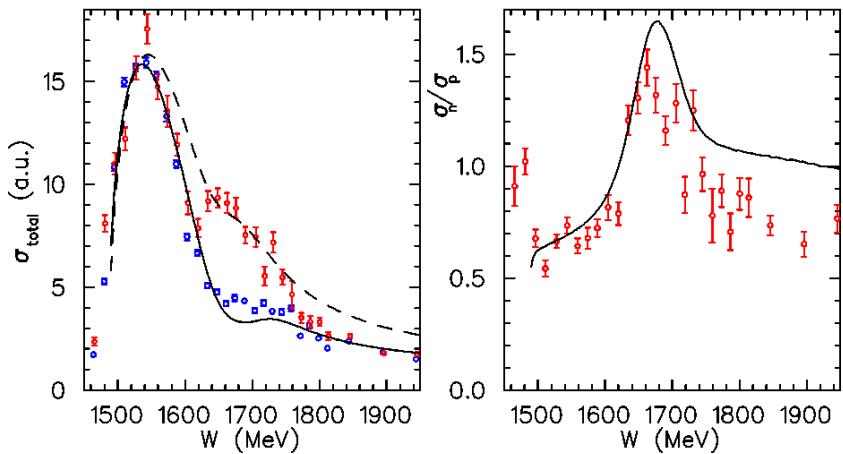
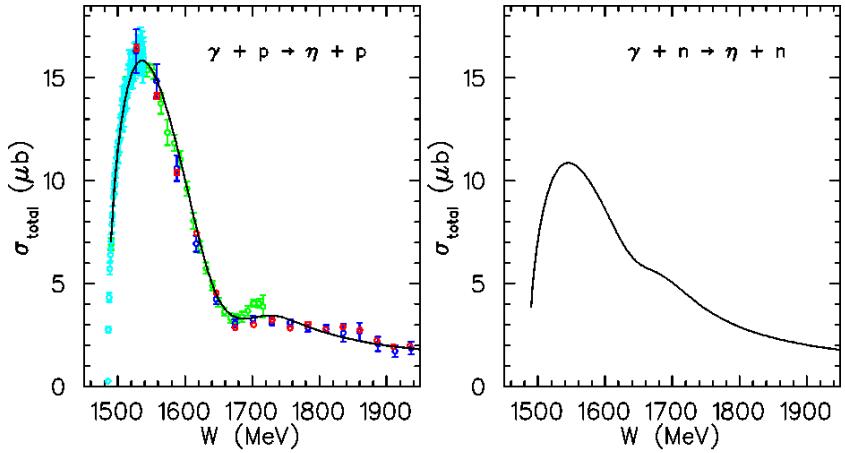


The role of the $D_{15}(1675)$ resonance

— η -MAID 2001
 --- no $D_{15}(1675)$
 no $D_{13}(1520)$



isobar model Eta-Maid2001



(preliminary data from CB-ELSA, I. Jaegle, priv. comm. 2006)

problems with the $D_{15}(1675)$ resonance:

- 1) in the std EtaMaid model it fits the neutron data very well
but needs a large branching ratio of $\beta_{\eta N} = 17 \%$
fits with $SU(3)_{fI}$ for baryon octett
gives a prediction of $\beta_{\eta N} = 2.5 \%$.
(Guzey and Polyakov, hep-ph/0512355)
- 2) in the Regge model the $D_{15}(1675)$ would not play any important role.

comparison of our models:

proton
PDG/Fit neutron
PDG

EtaMaid
2001

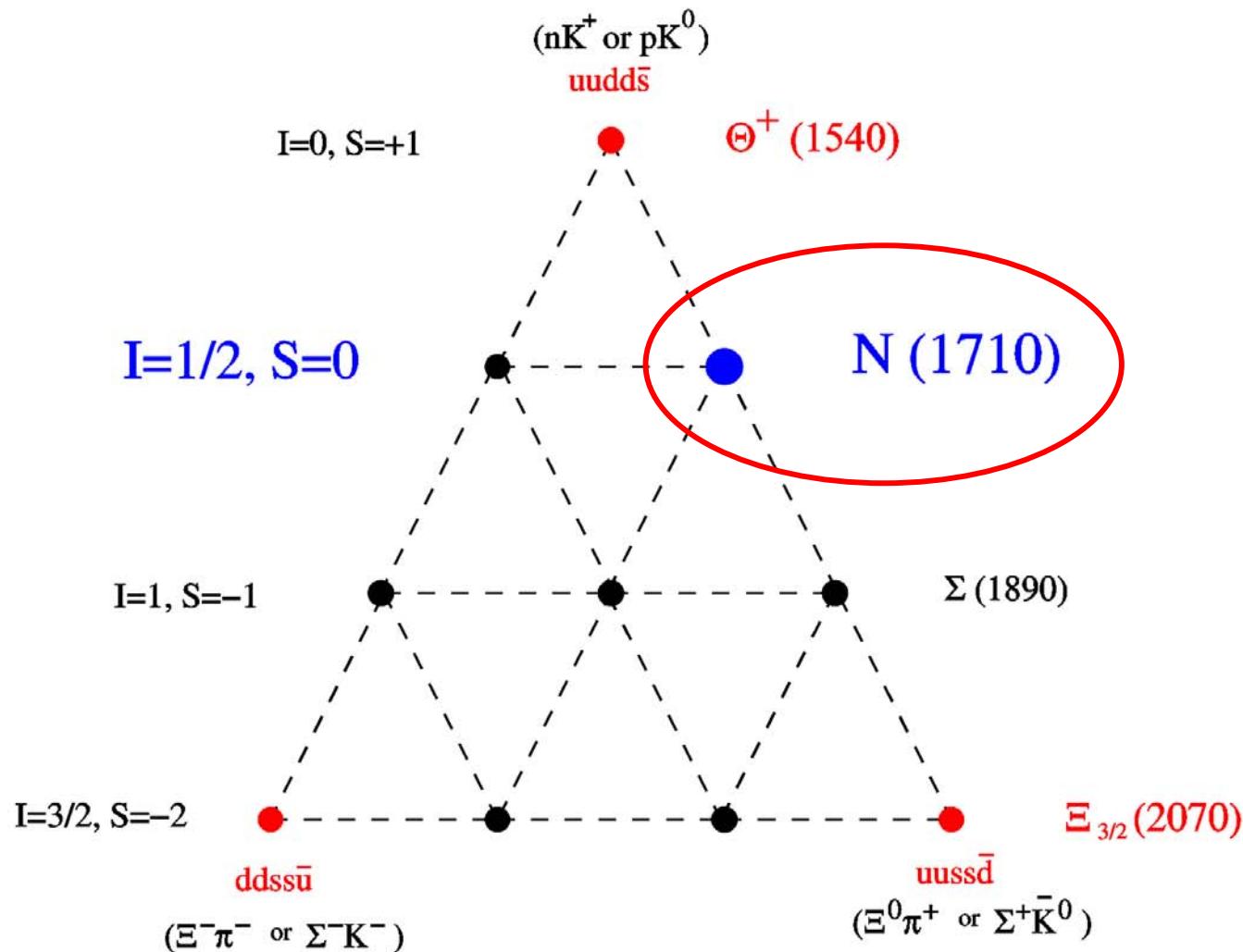
N^*	mass	width	$\beta_{\eta N}$	$\zeta_{\eta N}$	$A^p_{1/2}$	$A^p_{3/2}$	$A^n_{1/2}$	$A^n_{3/2}$
$D_{13}(1520)$	1520	120	0.06%	1	-52	166	-41	-135
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ReggeMaid
2003

N^*	mass	width	$\beta_{\eta N}$	$\zeta_{\eta N}$	$A^p_{1/2}$	$A^p_{3/2}$	$A^n_{1/2}$	$A^n_{3/2}$
$D_{13}(1520)$	1520	120	0.04%	1	-24	166	-59	-139
$S_{11}(1535)$	1545	118	50.%	1	80	-	-65	-
$S_{11}(1650)$	1635	120	16.3%	-1	46	-	-38	-
$D_{15}(1675)$	1665	150	0.69%	1	19	15	-43	-58
$F_{15}(1680)$	1670	130	0.003%	1	-15	133	29	-33
$D_{13}(1700)$	1700	100	0.025%	-1	-18	-2	0	-3
$P_{11}(1710)$	1700	100	26.%	-1	9	-	-2	-
$P_{13}(1720)$	1720	150	4.1%	1	18	-19	1	-29

Pentaquark States

anti-decuplet in the chiral soliton model by Diakonov, Petrov and Polyakov (1997)



Estimate of Resonance Parameters for Non-Strange Partner of Θ^+

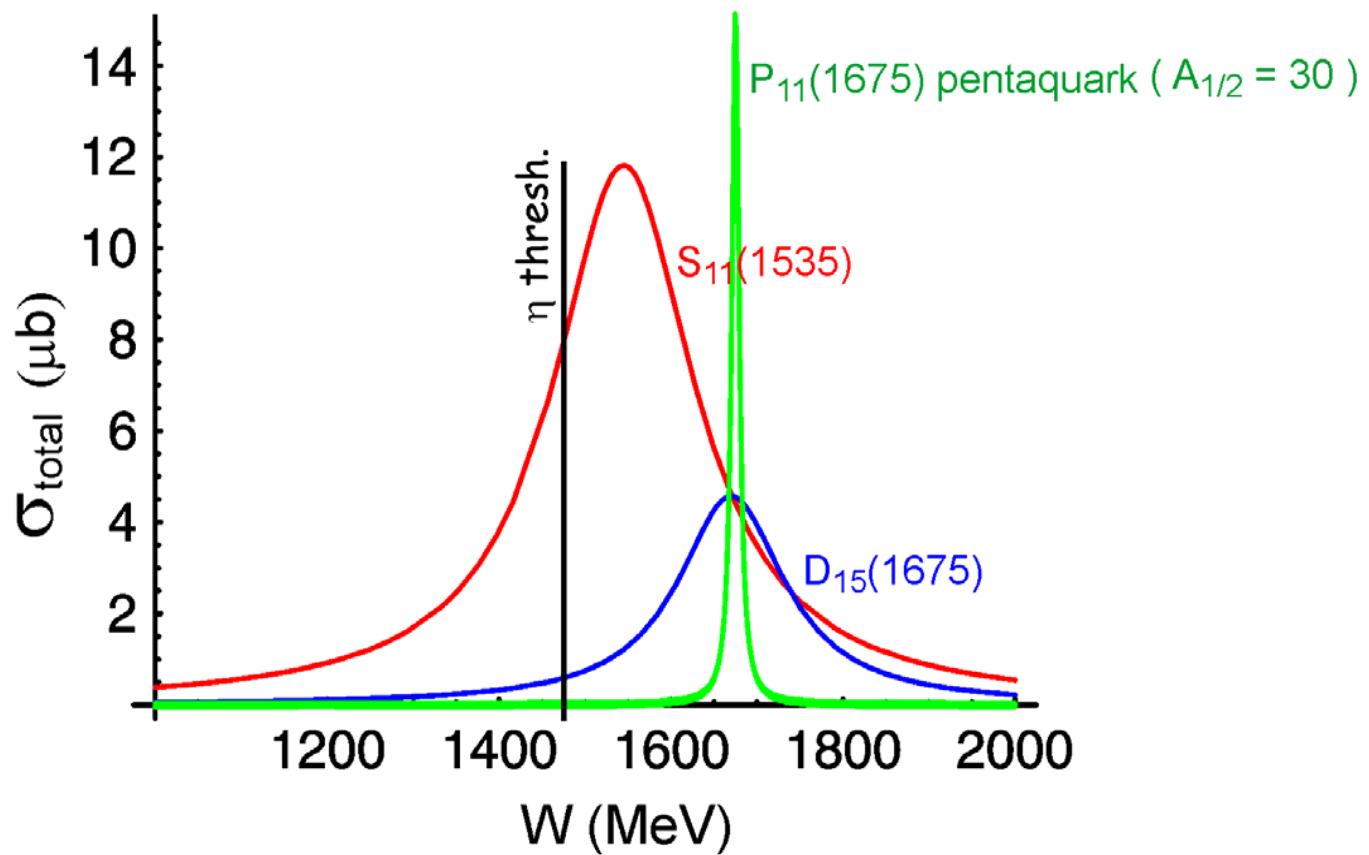
Ya. Azimov, V. Kuznetsov, M.V. Polyakov and I. Strakovsky
Eur. Phys. J. A 25 (2005) 325

triggered by the observation of an irregular behaviour of the cross section
for $\gamma n \rightarrow \eta n$ near $W_{c.m.} = 1675$ MeV

quantum numbers	J^π	:	$1/2^+ \Rightarrow P_{11}$
mass	M^*	=	1675 MeV
total width	Γ_{tot}	=	10 MeV
branching into ηN channel	$\Gamma_{\eta N}/\Gamma_{tot}$	=	40%
neutron magnetic transition moment	$ \mu(n^* \rightarrow n) $	=	$(0.13 - 0.37)\mu_N$
neutron photon coupling	$A_{1/2}(n)$	=	$(20 - 60)10^{-3}/\sqrt{GeV}$
proton photon coupling	$A_{1/2}(p)/A_{1/2}(n)$	<	1/3

in the following we use $A_{1/2}(p)=8$ and $A_{1/2}(n)=25$

η photoproduction on the neutron



quasifree eta photoproduction on the deuteron

in collaboration with Alexander Fix

(e.g. A. Fix and H. Arenhövel, Z. Phys. A 359 (1997) 427)

in impulse approximation:

ηNN fsi is negligible

NN fsi is larger but only important near threshold

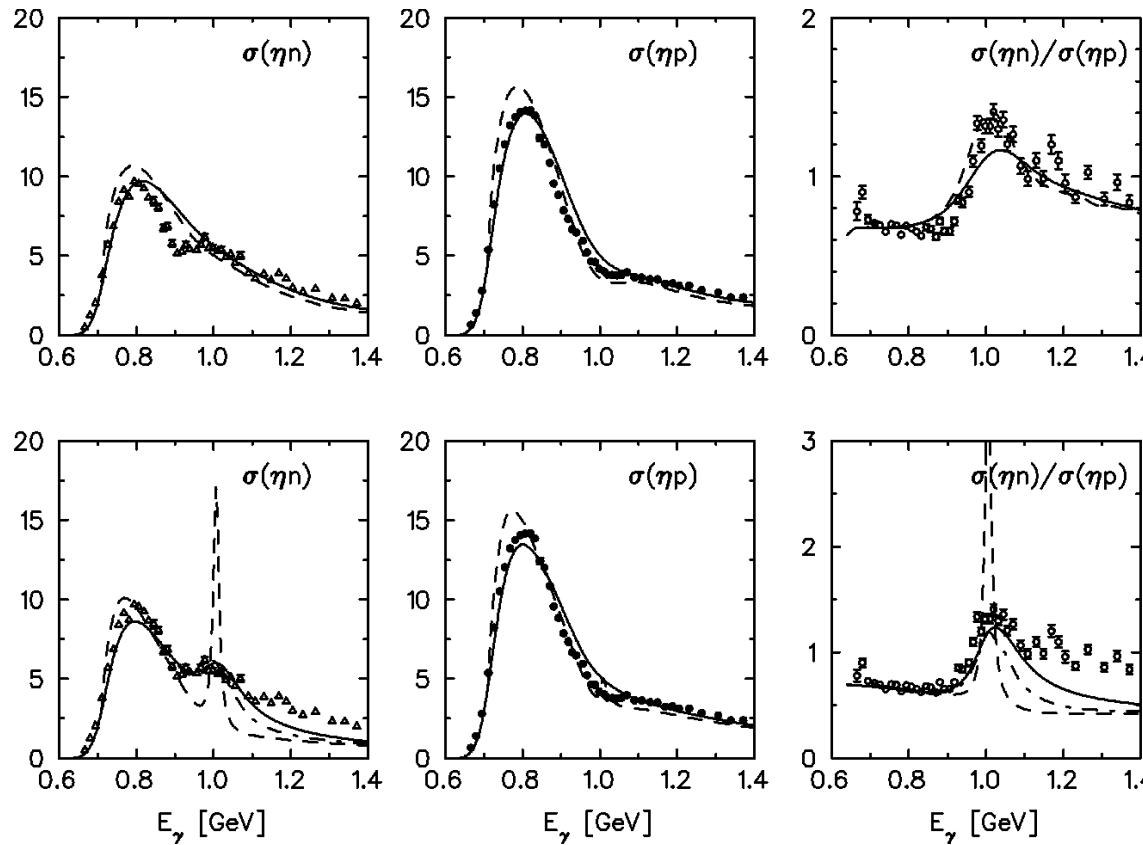
input: EtaMaid with additional pentaquark state $P_{11}(1675)$

Photoproduction of η mesons on the deuteron in the presence of a narrow $P_{11}(1670)$ resonance

A. Fix, L.T., and M.V. Polyakov, EPJ A32 (2007) 311

resonance parameters for the pentaquark in our calculations:

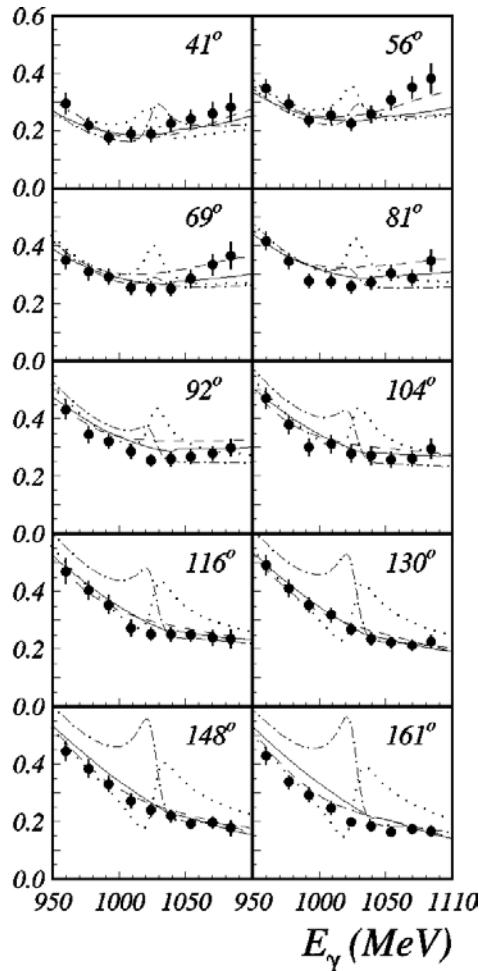
Mass [MeV]	Width [MeV]	$\beta_{\eta N}$ [%]	$\beta_{\pi\Delta}$ [%]	$\beta_{K\Lambda}$ [%]	$pA_{1/2}$ $[10^{-3}/\sqrt{\text{GeV}}]$	$nA_{1/2}$ $[10^{-3}/\sqrt{\text{GeV}}]$
1670	10	40	30	30	8	30



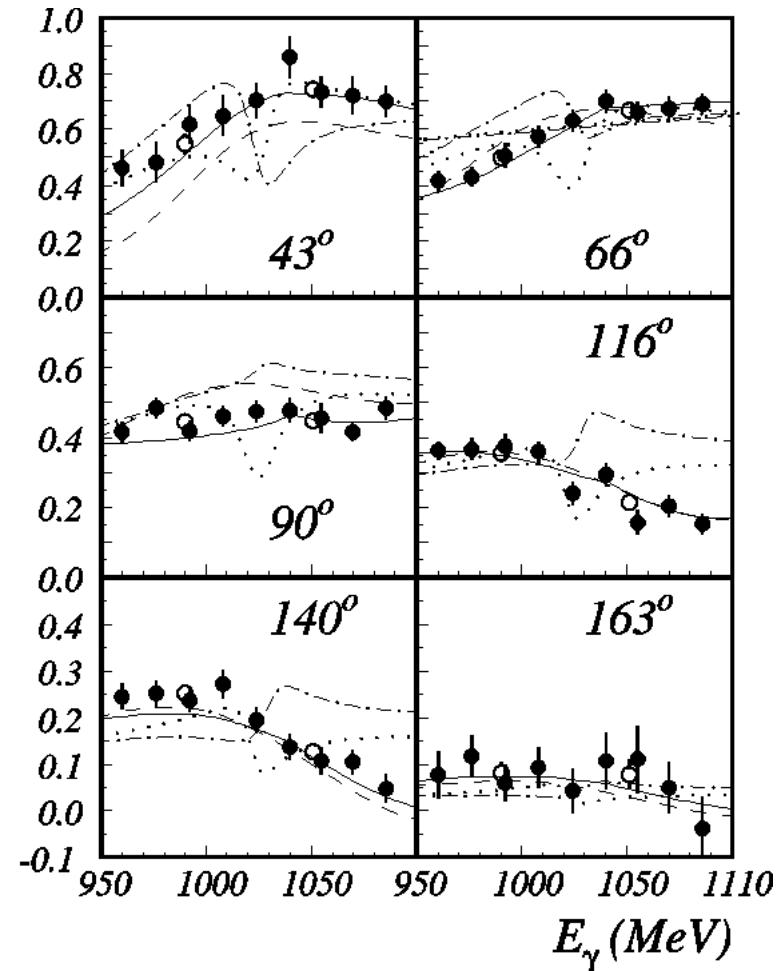
comparison of GRAAL proton data with narrow resonance solutions

data: Bartalini et al. (GRAAL), EPJ A33 (2007) 169

$d\sigma/d\Omega$ ($\mu b/sr$)



Σ



--- EtaMaid

— Bonn pw analysis
Sarantsev et al.

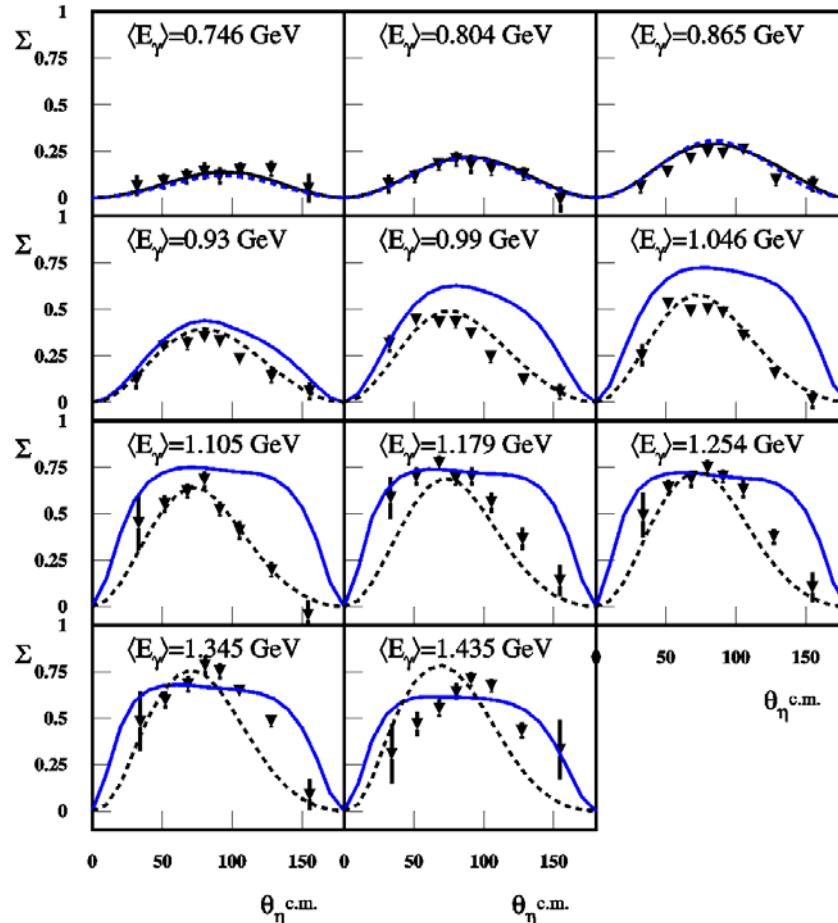
- - - ReggeMaid
+ P11(1670)

..... ReggeMaid
- P11(1670)

the proton data of Bartalini et al. does not show any pentaquark arrow structure !!

Beam Asymmetry Σ in η photoproduction on quasi-free neutrons

A. Fantini et al. (GRAAL), Phys. Rev. C78, 015203, 2008

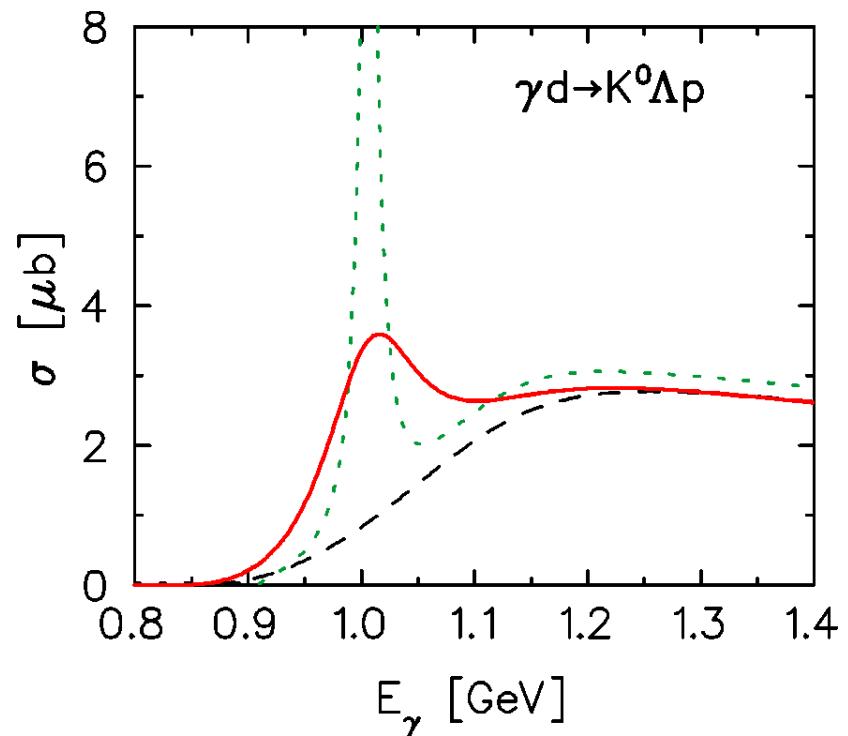
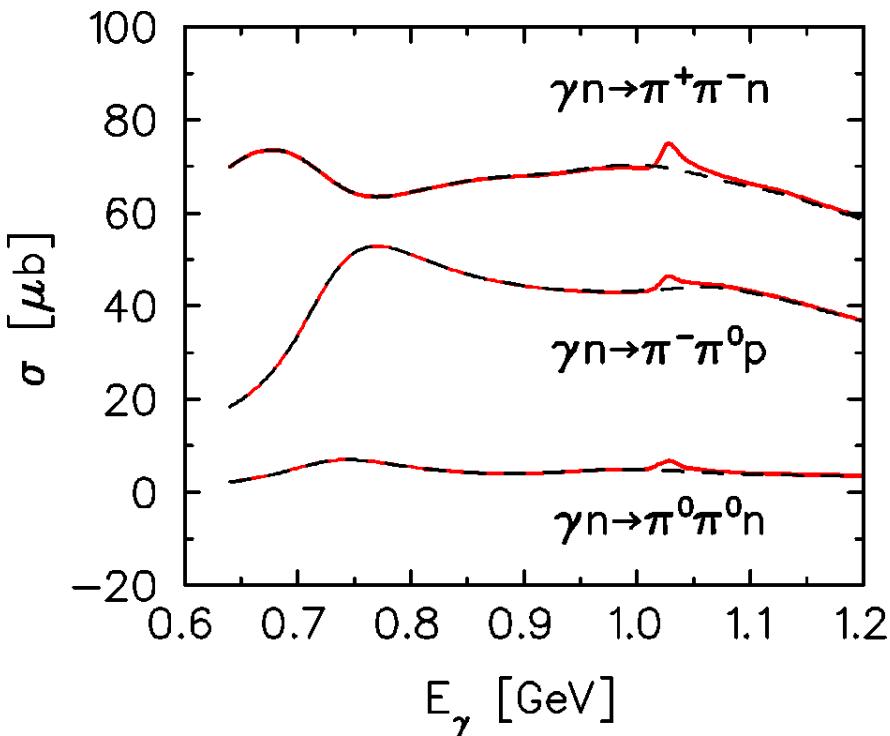


----- ReggeMaid
— EtaMaid with strong D_{15}

The strong D_{15} model
cannot describe the shape
of the beam asymmetry!

The effect of a narrow P11(1670) in the 2π and $K\Lambda$ channels

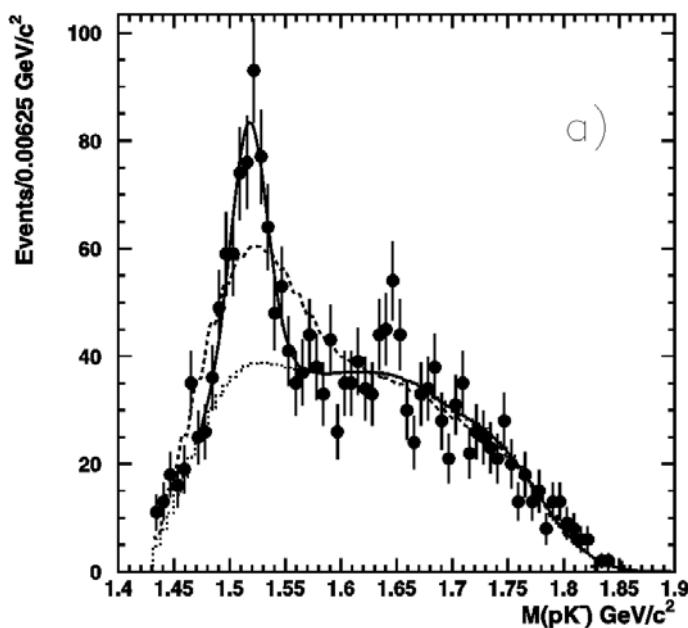
A. Fix, L.T., and M.V. Polyakov, EPJ A32 (2007) 311



recent developments on the pentaquark

Evidence of the Θ^+
in the $\gamma d \rightarrow K^+ K^- pn$ reaction

T. Nakano et al., arXiv:0812.1035

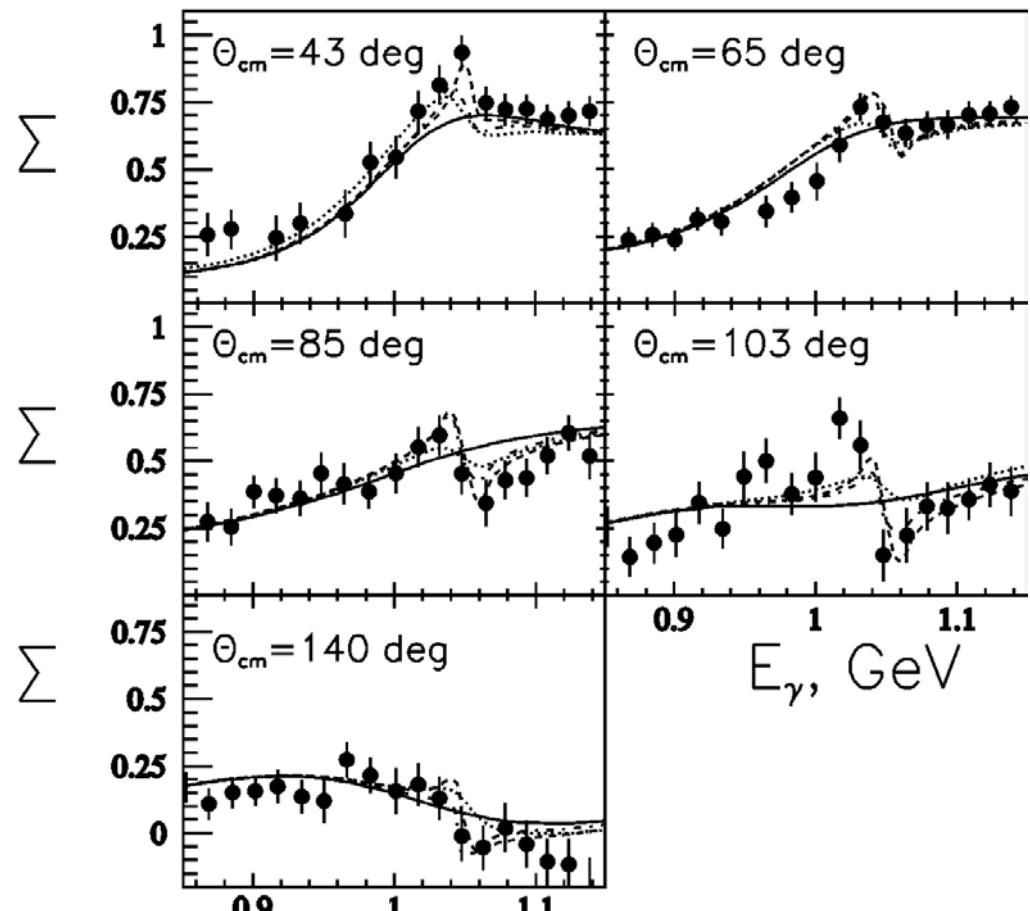


$M(pK^-)$ distribution

with a fit to the RMM background spectrum

Narrow Nucleon $N^*(1685)$
in the $\gamma p \rightarrow \eta p$

V. Kuznetsov and M.V. Polyakov,
JETP Lett. 88 (2008) 347 [arXiv:0807.3217]

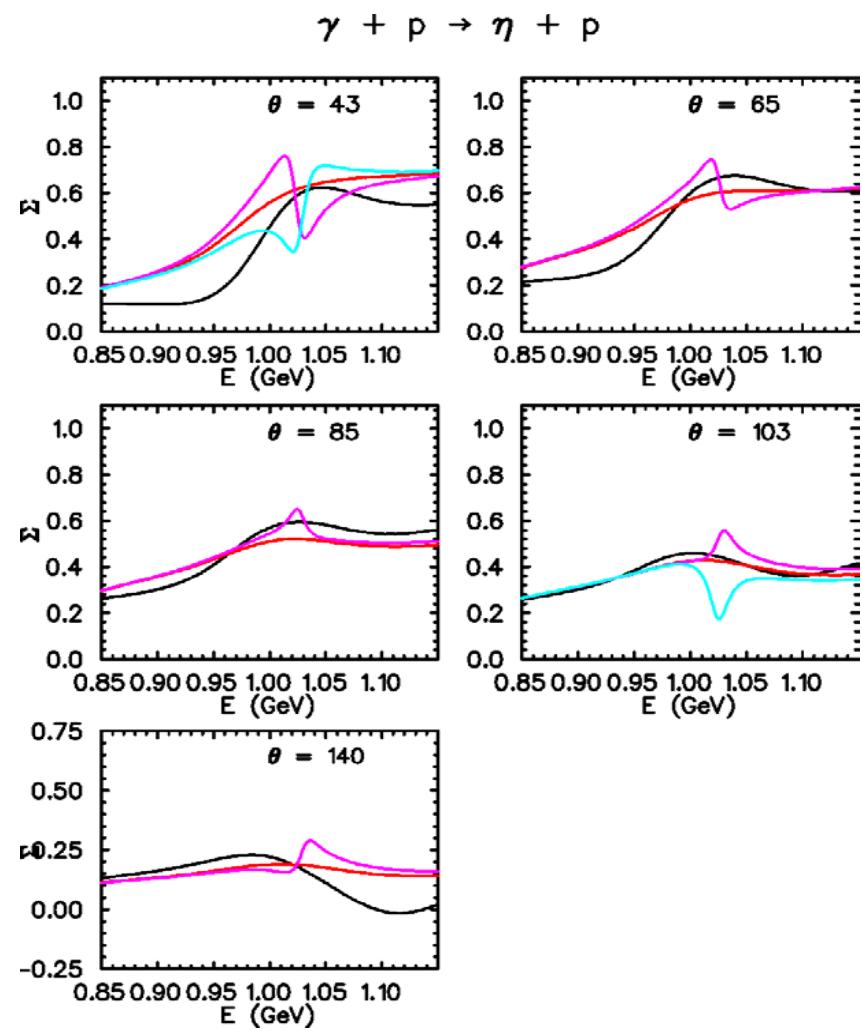
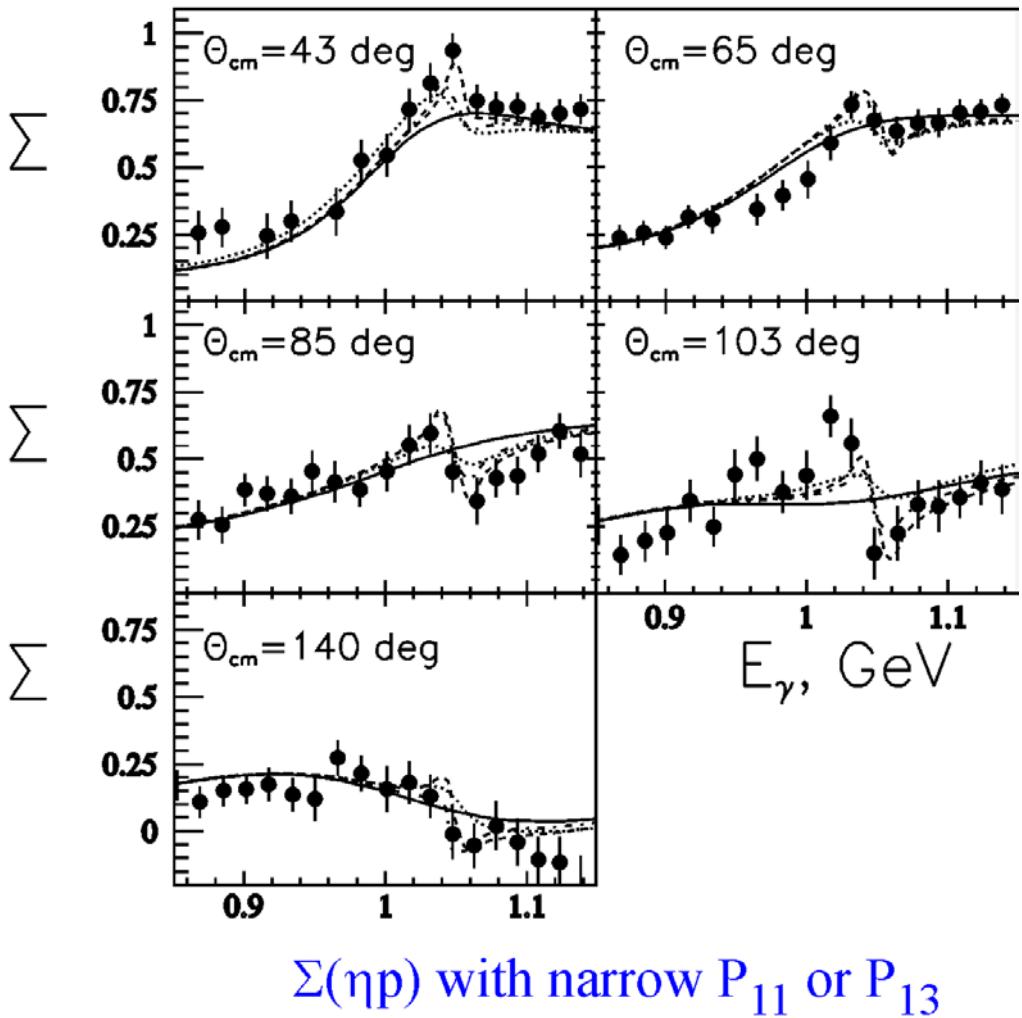


$\Sigma(\eta p)$ with narrow P_{11} or P_{13}

Narrow Nucleon $N^*(1685)$ in the $\gamma p \rightarrow \eta p$

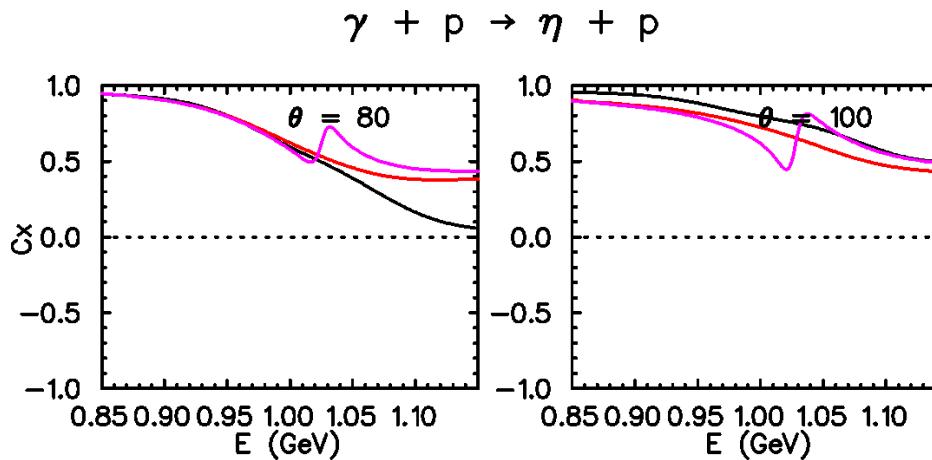
V. Kuznetsov and M.V. Polyakov,
JETP Lett. 88 (2008) 347 [arXiv:0807.3217]

our calculations

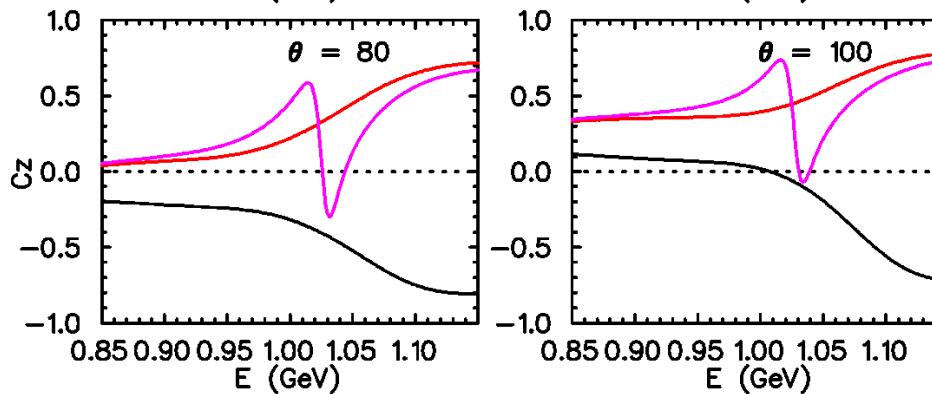


narrow resonance signals in recoil polarization

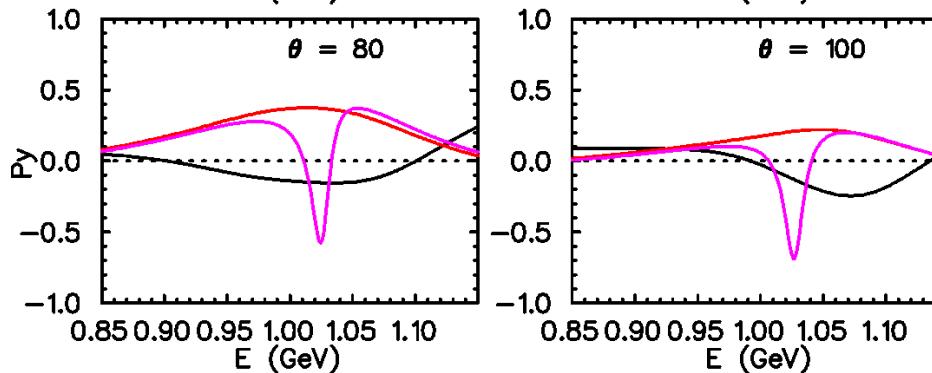
Cx'



Cz'

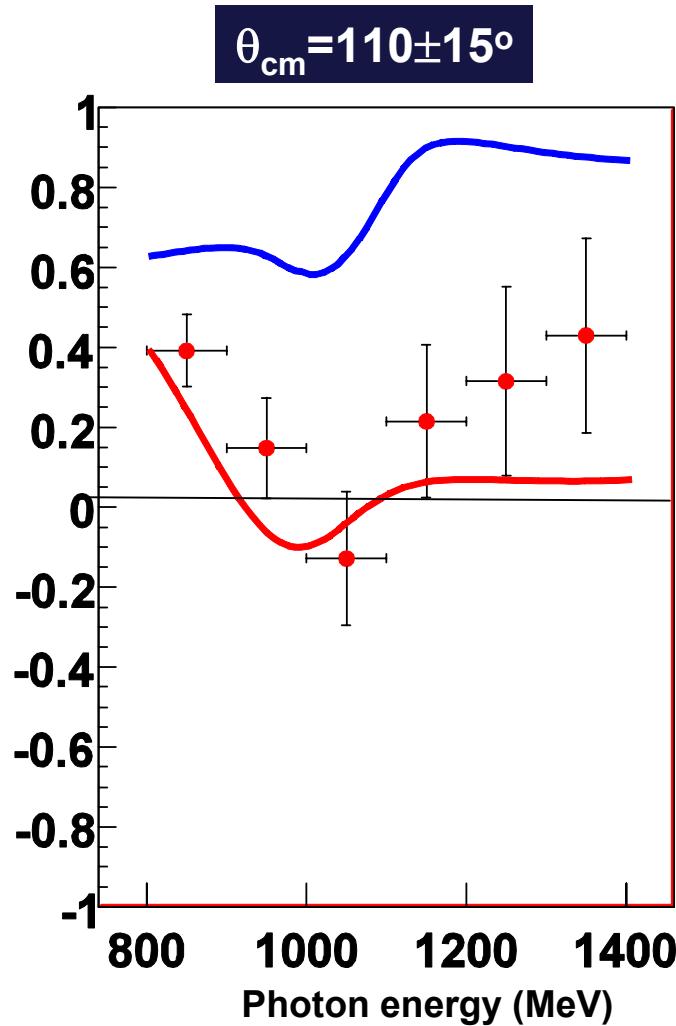
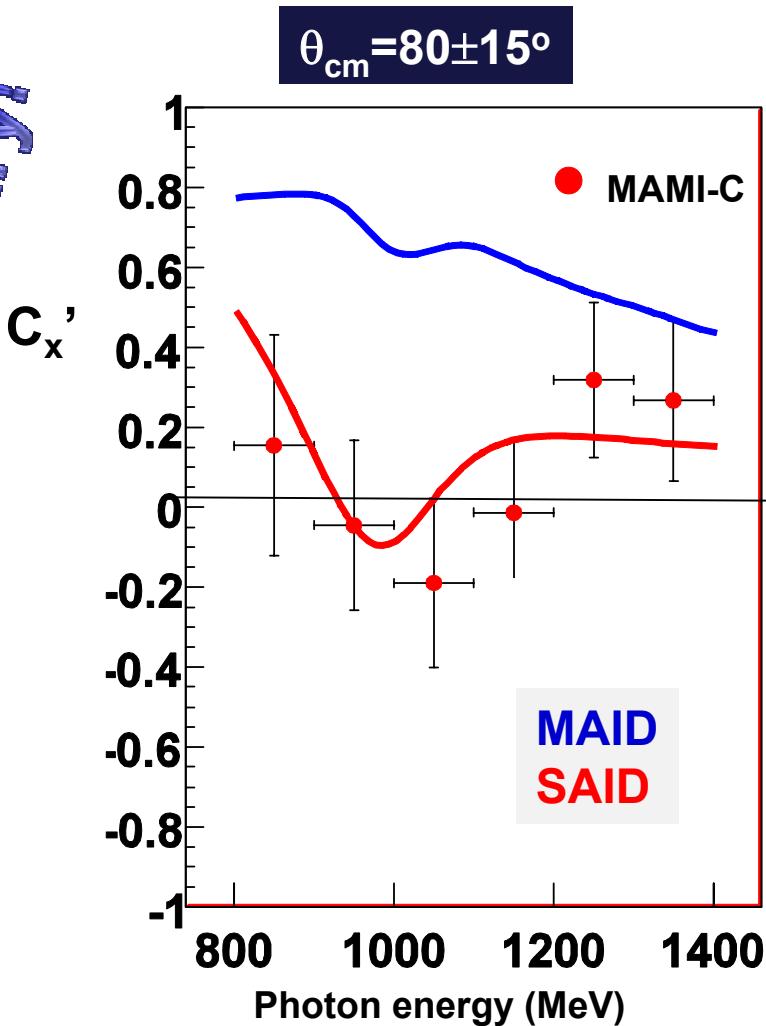


P



$p(\gamma,\eta)p C_x$

Preliminary!



Next steps O_x, T, P also $p(\gamma, 2\pi)$ and $p(\gamma, \pi\eta)$ channels

Summary on η production

- The old EtaMaid 2001 describes new data > 2002 very well
- D_{15} resonance needs a very large ηN branching ratio,
to describe the photon asymmetry on the proton
this leads to the peak in $\sigma(n)/\sigma(p)$
 ds/dW is described very well, but it fails for S
- a non-strange narrow pentaquark state $P_{11}(1675)$
Fermi averaged in the deuteron would also produce such a peak
with $1670 \text{ MeV} < M^* < 1685 \text{ MeV}$
- other observables which could show strong signals
from narrow P11 resonances are: T, P, F, H, Cz