

# Recoil Polarisation Measurements in Meson Photoproduction

Narrow Nucleon Resonance Workshop  
Edinburgh, 8-10<sup>th</sup> June, 2006

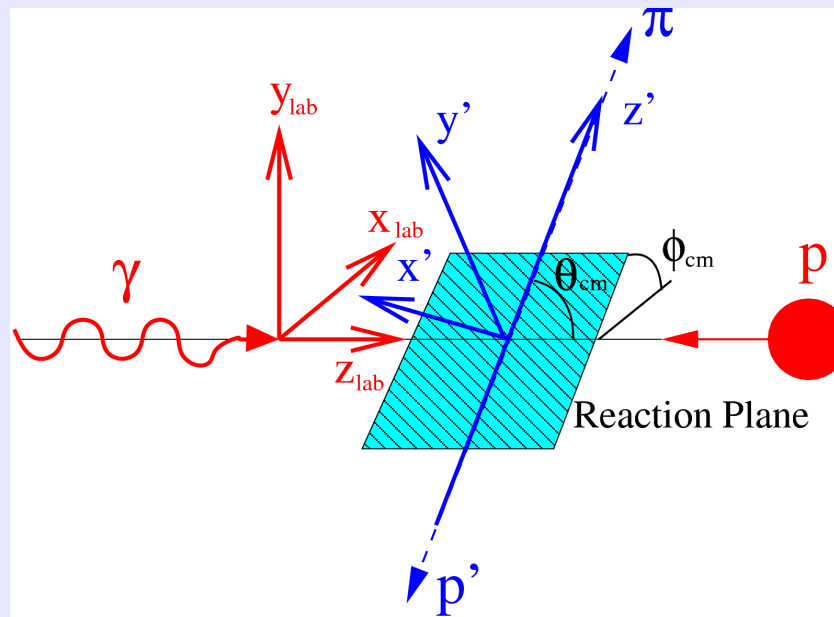
Derek I. Glazier  
University of Edinburgh



# Recoil Polarisation Measurements

- 16 photoproduction observables providing different sensitivities to the reaction amplitudes
- Highly desirable to have recoil observables in addition to beam and target
- Partial Wave Analysis then allows extraction of nucleon resonance characteristics
- Proton and Neutron targets to separate isospin amplitudes
- Small enough  $E$  and  $\theta$  bins to resolve resonance structure

# Beam-Recoil Observables



$$\rho_f \frac{d\sigma}{d\Omega} = \frac{1}{2} \frac{d\sigma}{d\Omega_{un}} \left\{ 1 - P_\gamma^T \Sigma \cos 2\phi - \sigma_{x'} \left( P_\gamma^T O_x \sin 2\phi + P_\gamma^C C_x \right) \right. \\ \left. + \sigma_{y'} \left( P - P_\gamma^T T \cos 2\phi \right) - \sigma_{z'} \left( P_\gamma^T O_z \sin 2\phi + P_\gamma^C C_z \right) \right\}$$

Linear  $P_\gamma^T$  and Circular  $P_\gamma^C$  beam polarisation

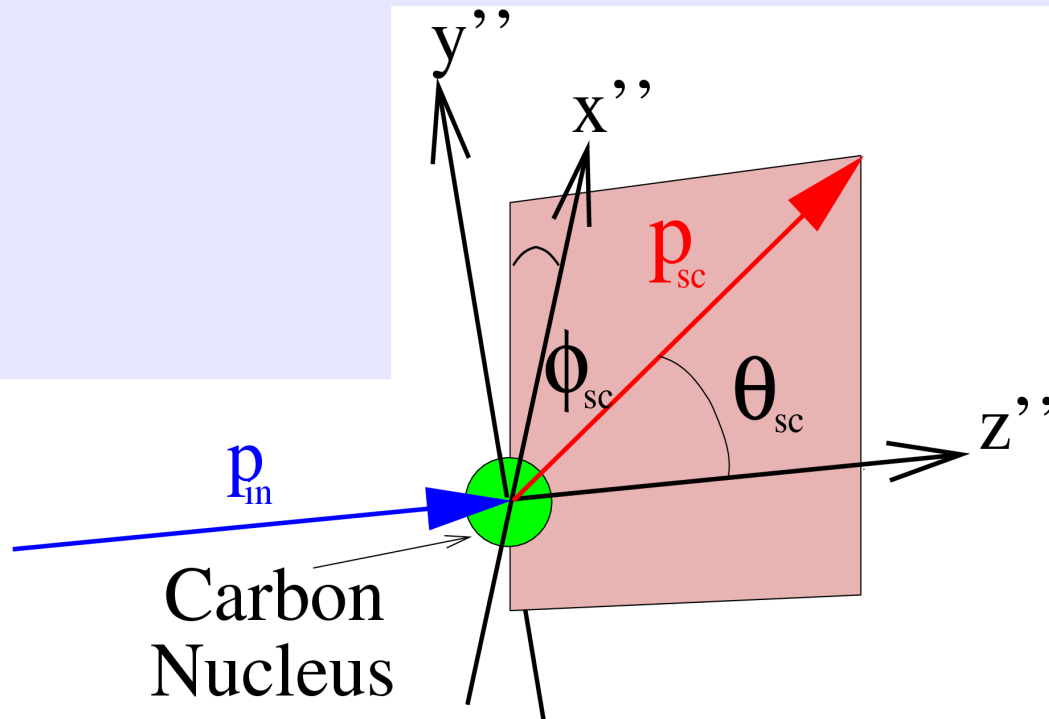
+ Recoil Polarisation Measurement

⇒ access to 6 photoproduction observables

No Magnetic Field ⇒ Only measure transverse polarisation

∴ We can measure  $P$ ,  $T$ ,  $O_x$ ,  $C_x$

# Measuring Nucleon Polarisation

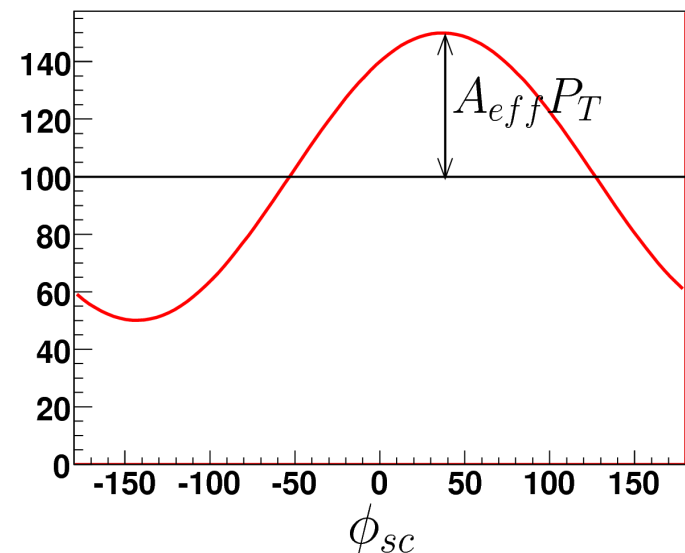


- Use Spin Orbit Interaction
- Azimuthal distribution related to transverse polarisation

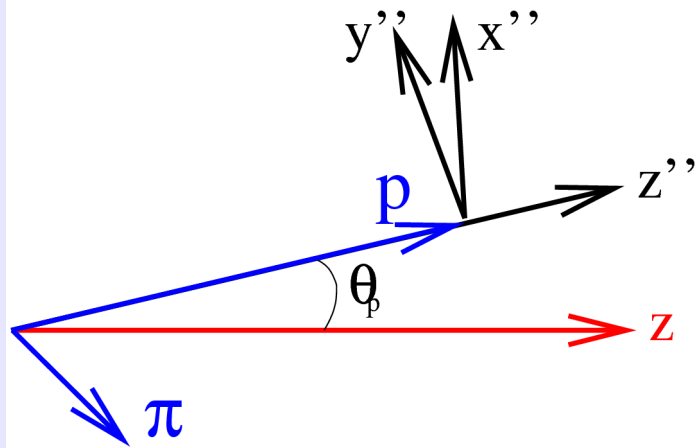
$$n(\phi_{sc}) = n_o \{1 + A_{eff} [P_y \cos \phi_{sc} - P_x \sin \phi_{sc}]\}$$

$$= n_o \{1 + A_{eff} P_T \sin(\phi_{sc} + \phi_0)\}$$

$$\text{with } P_T = \sqrt{P_x^2 + P_y^2} \text{ and } \phi_0 = \arctan\left(-\frac{P_y}{P_x}\right)$$



# Polarimeter Reference Frame



Polarisation  $P = (P_x, P_y, P_z)$

defined in Lab. frame :

$$\underline{z}'' = \frac{p}{|p|} \quad \underline{y}'' = \frac{z \times p}{|z \times p|} \quad \underline{x}'' = \underline{y}'' \times \underline{z}''$$

The polarisation is Lorentz Rotated from primed CM frame

Effectively rotated around Y-axis  
e.g.  $C_x \rightarrow C_x'' (C_x, C_z)$

- Unpolarised Beam

$$P_x = P_z = 0 \text{ and } P_y = -P$$

- Circularly Polarised Beam

$$P_x = -P_\gamma^C C_x'', P_y = -P \text{ and } P_z = P_\gamma^C C_z''$$

- Linearly Polarised Beam

$$P_x = \frac{-P_\gamma^T O_x'' \sin 2\phi}{(1 - P_\gamma^T \Sigma \cos 2\phi)}, P_y = \frac{-P + P_\gamma^T T \cos 2\phi}{(1 - P_\gamma^T \Sigma \cos 2\phi)} \text{ and } P_z = \frac{P_\gamma^T O_z'' \sin 2\phi}{(1 - P_\gamma^T \Sigma \cos 2\phi)}$$

# JLab Hall A Results for $\pi^0$ photoproduction

Phys.Rev. C, 66 034614

(2002)

- Used Focal Plane Polarimeter on magnetic spectrometer

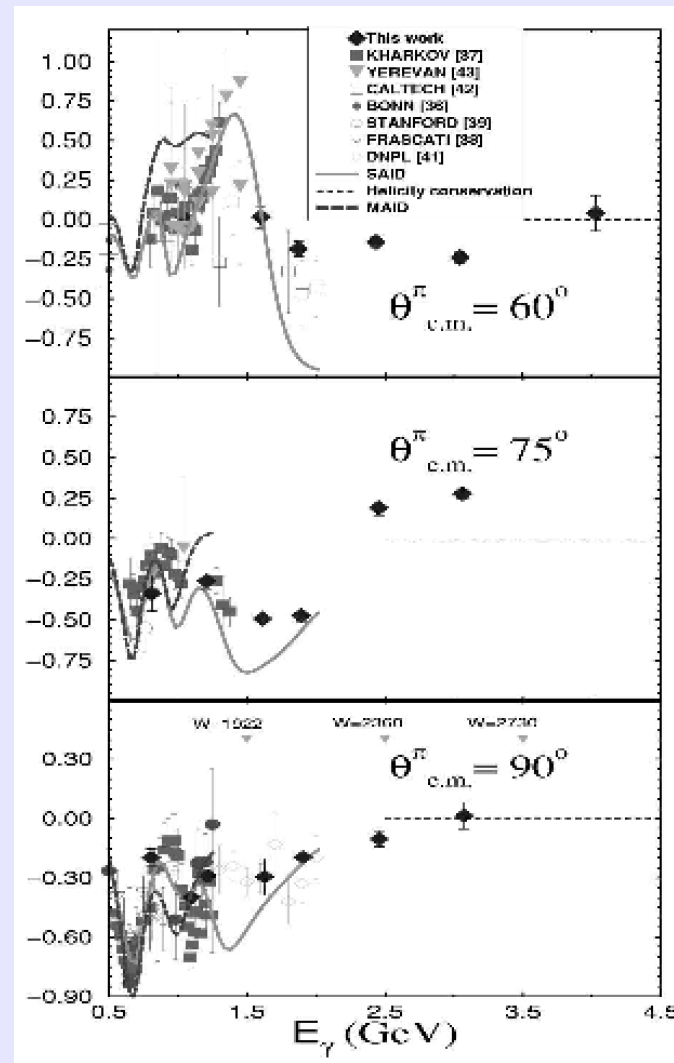
~30 Data points for P,

$C_x$  and  $C_z$

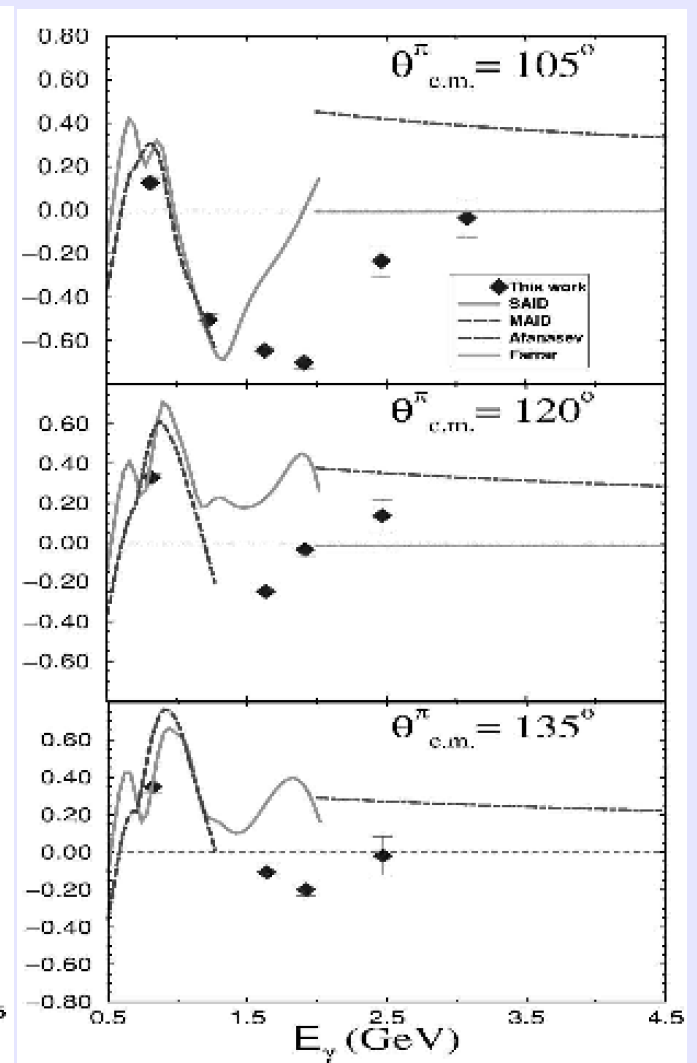
$0.8 < E_\gamma < 4.1 \text{ GeV}$ ,  $60 < \theta < 135^\circ$

- Also a reasonable number of previous P measurements below 1.5 GeV

P

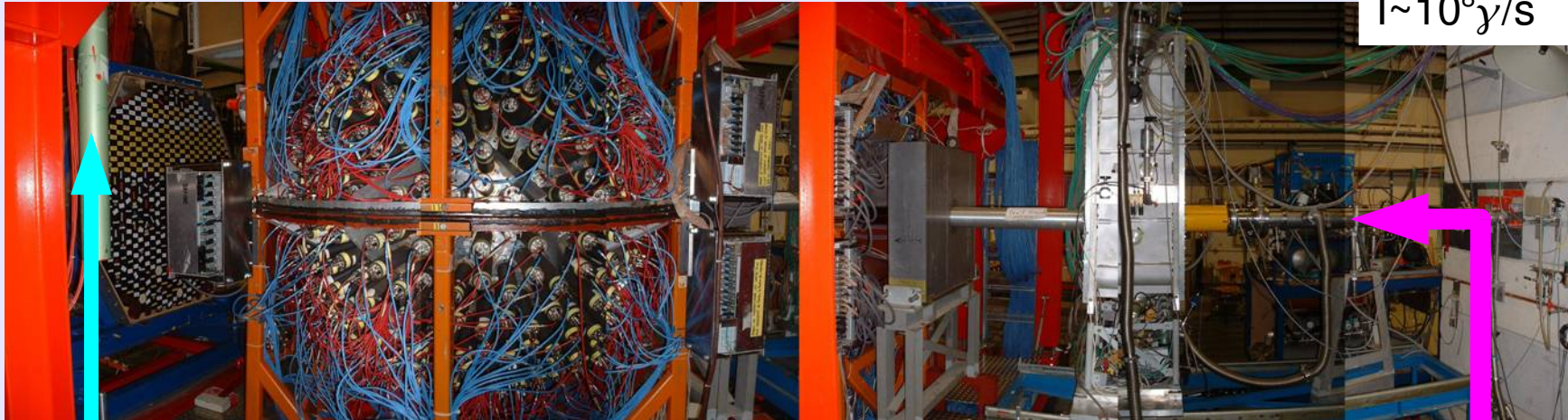


$C_x$



# CrystalBall at MAMI

$\sigma_E \sim 2 \text{ MeV}$   
 $I \sim 10^8 \gamma/\text{s}$

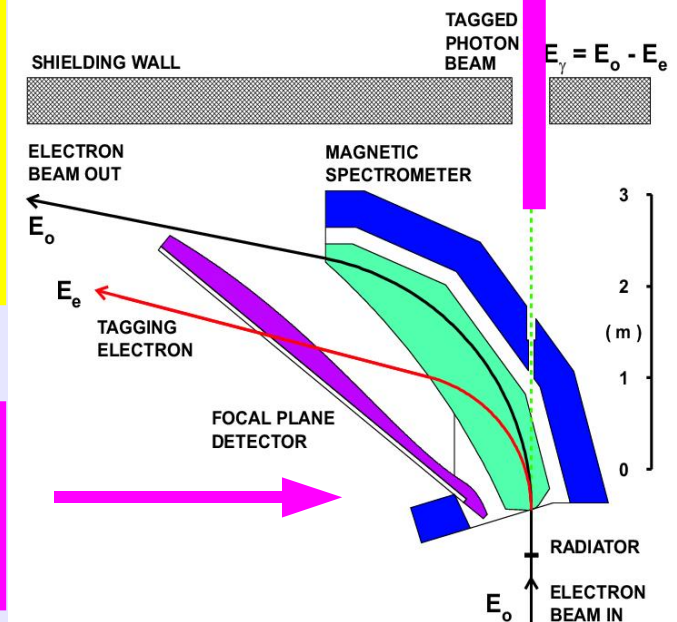


TAPS  
 384 BaF2 Crystals  
 Forward  $21^\circ$   
 1.5m upstream

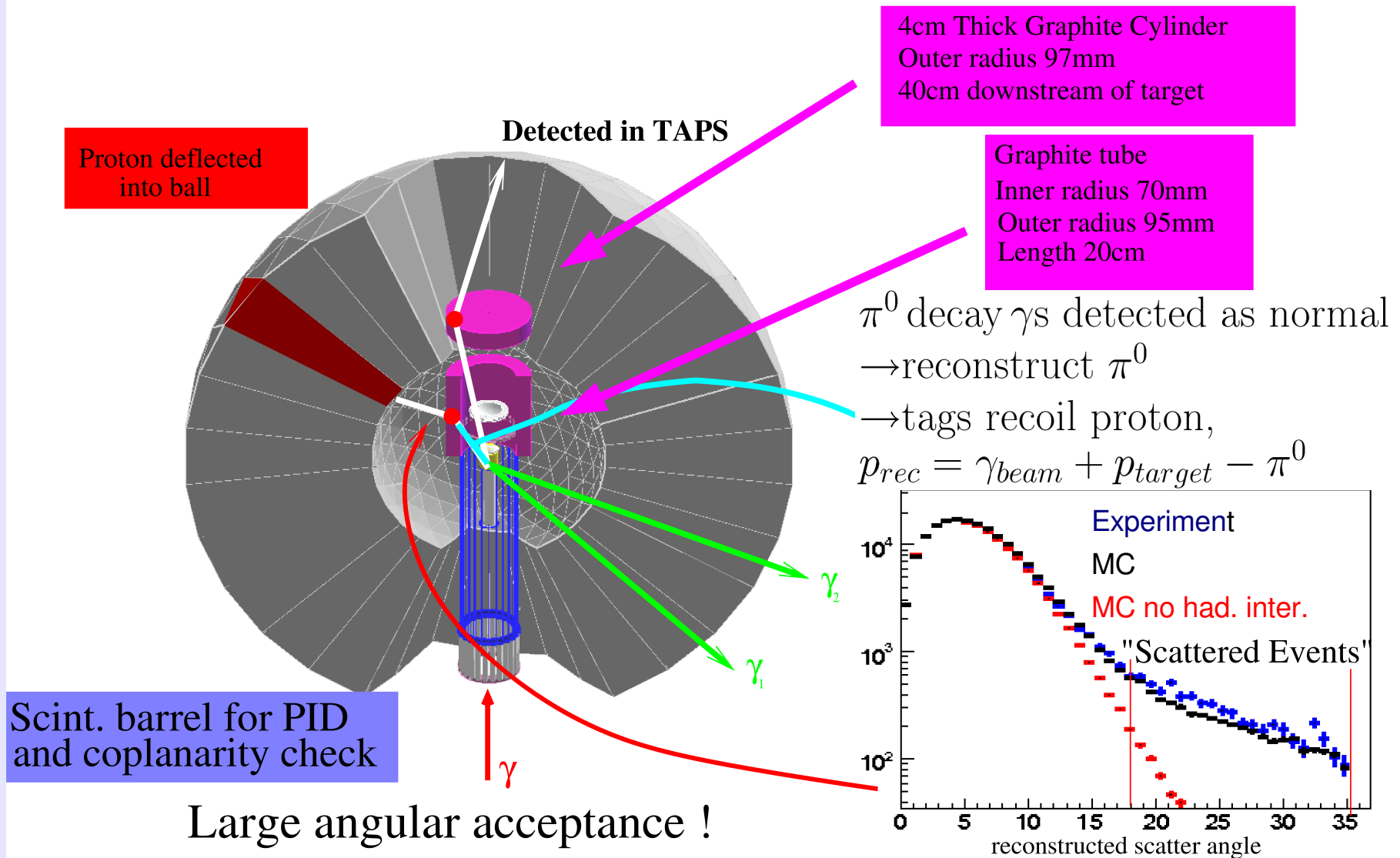
CB 672 NaI(Tl) Crystals  
 Spherically arranged  
 around target  
 93% phase space

MAMI-C provides 1.5GeV e-  
 Tag Brem. Photons to 1.4GeV-

Linear or circular pol.



# Proton Polarimeter

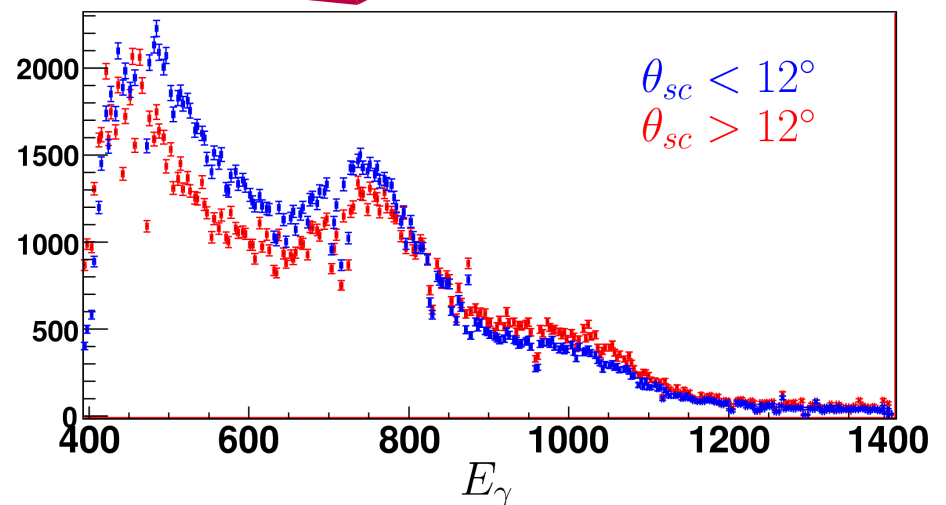
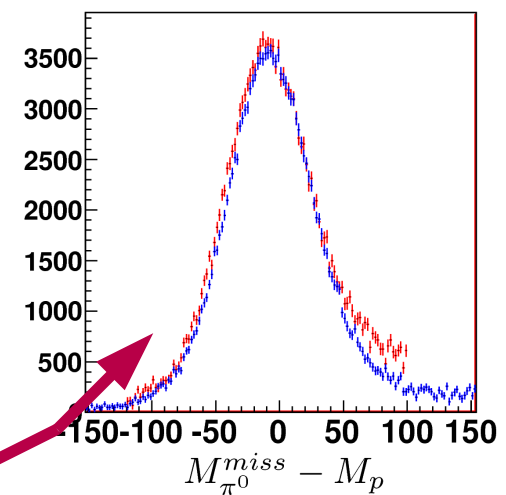
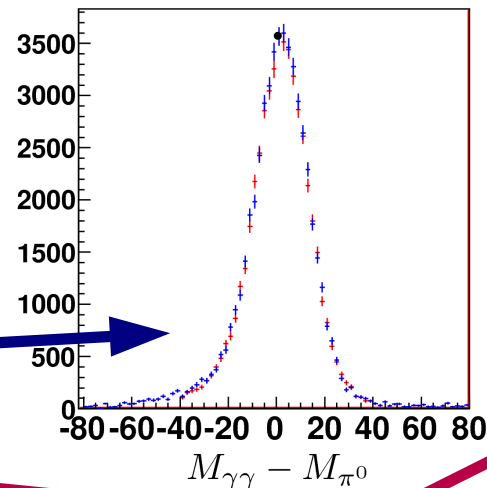




# Polarimeter Data Analysis

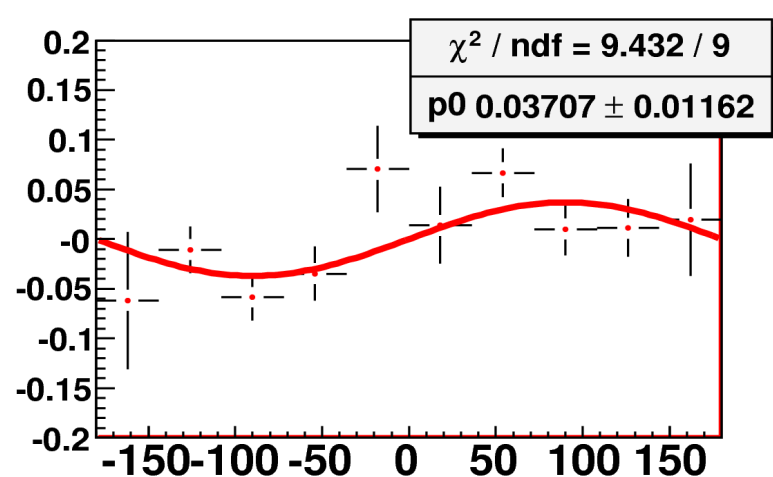
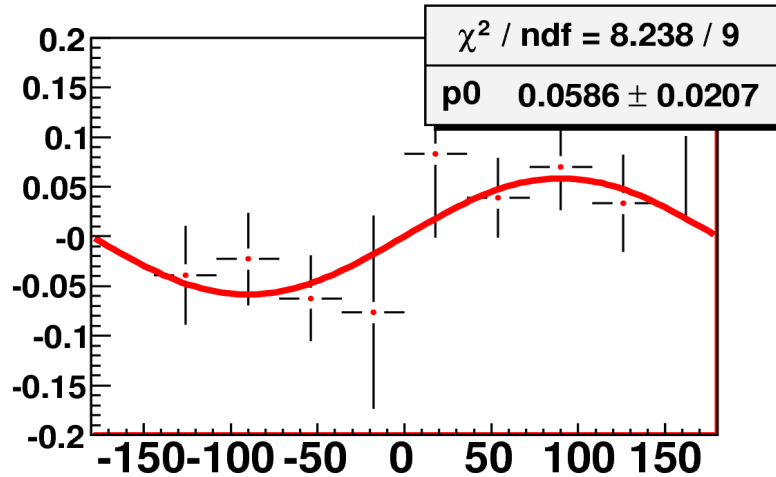
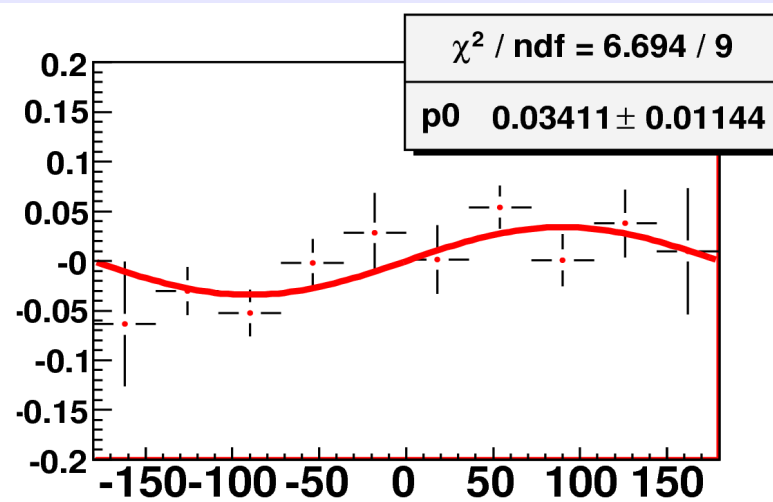
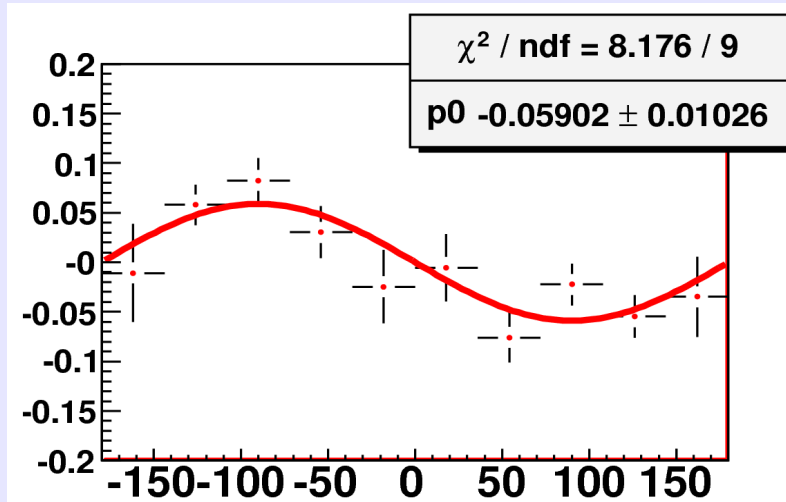
## Algorithm

- Look for 3 clusters in ball
- Loop over and find  $\pi^0$  by invariant mass of  $2\gamma$ ,  $M_{\gamma\gamma}$
- Select  $\pi^0$  events with  $M_{\pi^0}^{miss} \simeq M_p$
- Check  $\pi^0$  in plane with PID scint. hit
- Reconstruct scattering angles
- Select events with large  $\theta_{sc}$



# Beam Helicity Asymmetries

$$A(\phi_{sc}) = \frac{N^+(\phi_{sc}) - N^-(\phi_{sc})}{N^+(\phi_{sc}) + N^-(\phi_{sc})}$$



$\phi_{sc}$

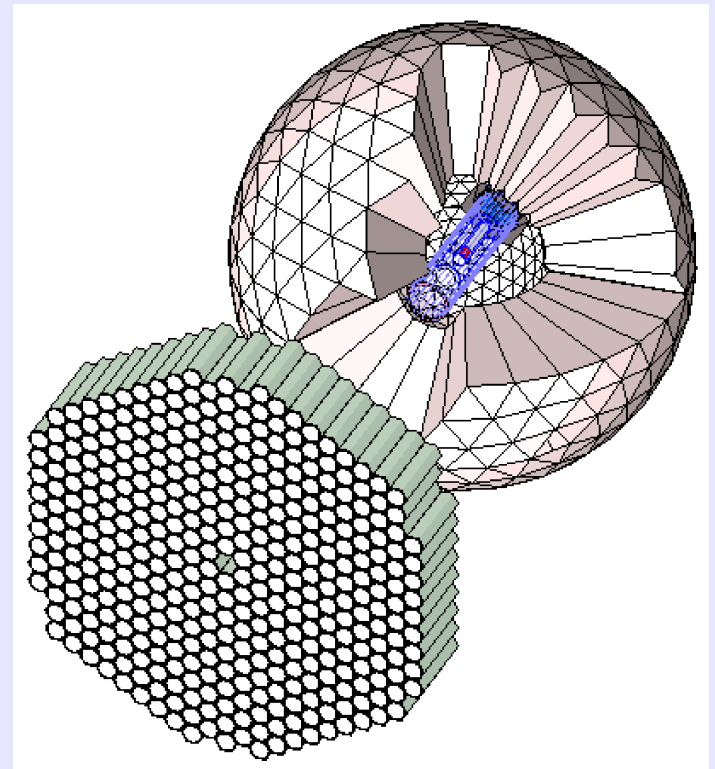
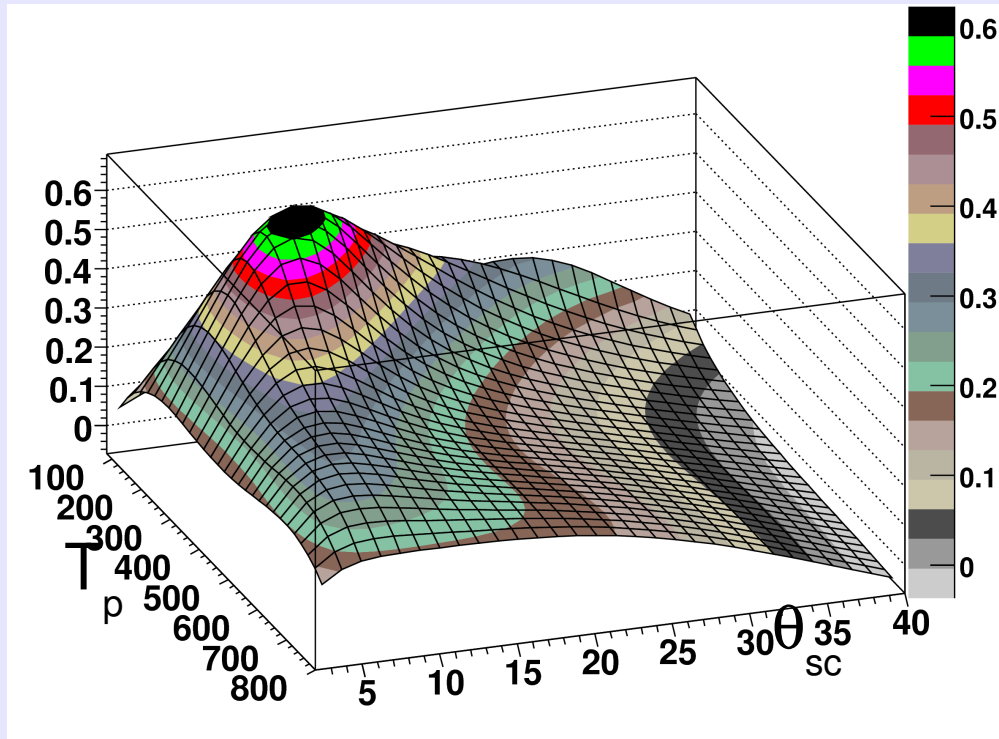
$\phi_{sc}$

# Analysing Power

- Polarised scattering model
- Parameterisation based on world pC scattering data set
- Function of  $T_p$  and  $\theta_{sc}$

+

- GEANT4 tracking model
- Include all polarimeter components
- Track polarisation=+1 and -1

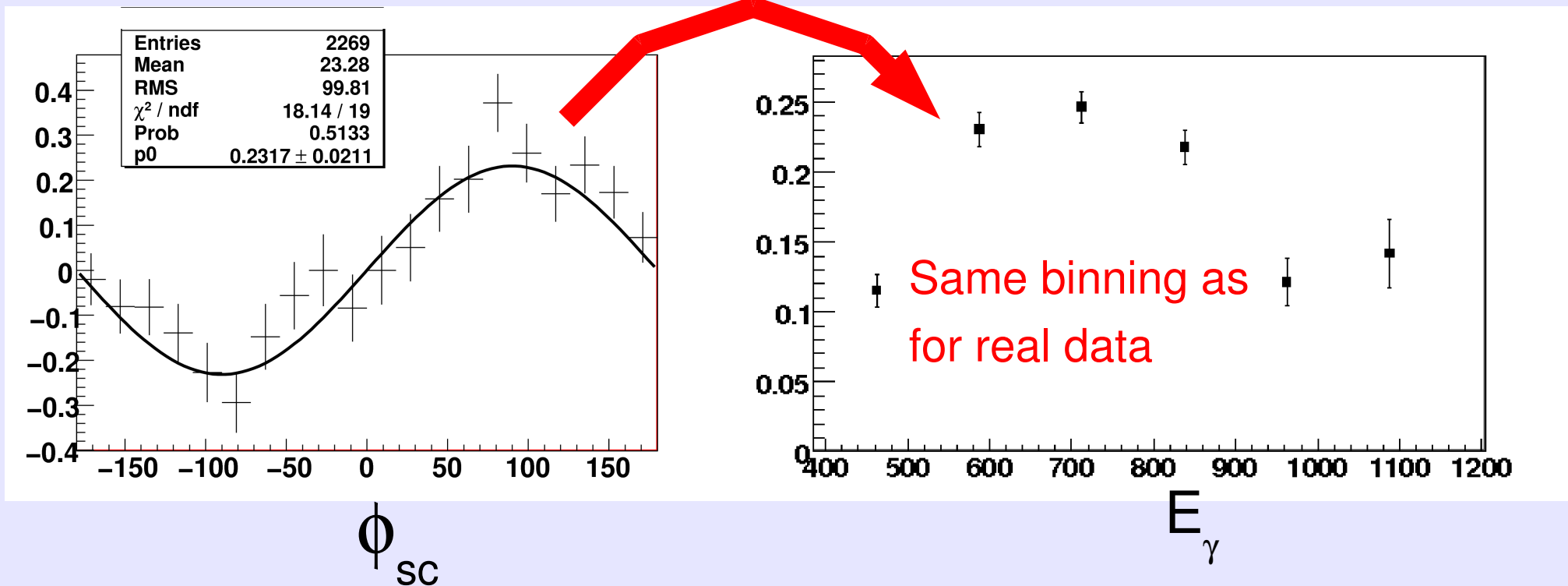


# Results of Analysing Power Integration

Perform full data analysis then,

Fit to MC Asymmetries

Analysing Power

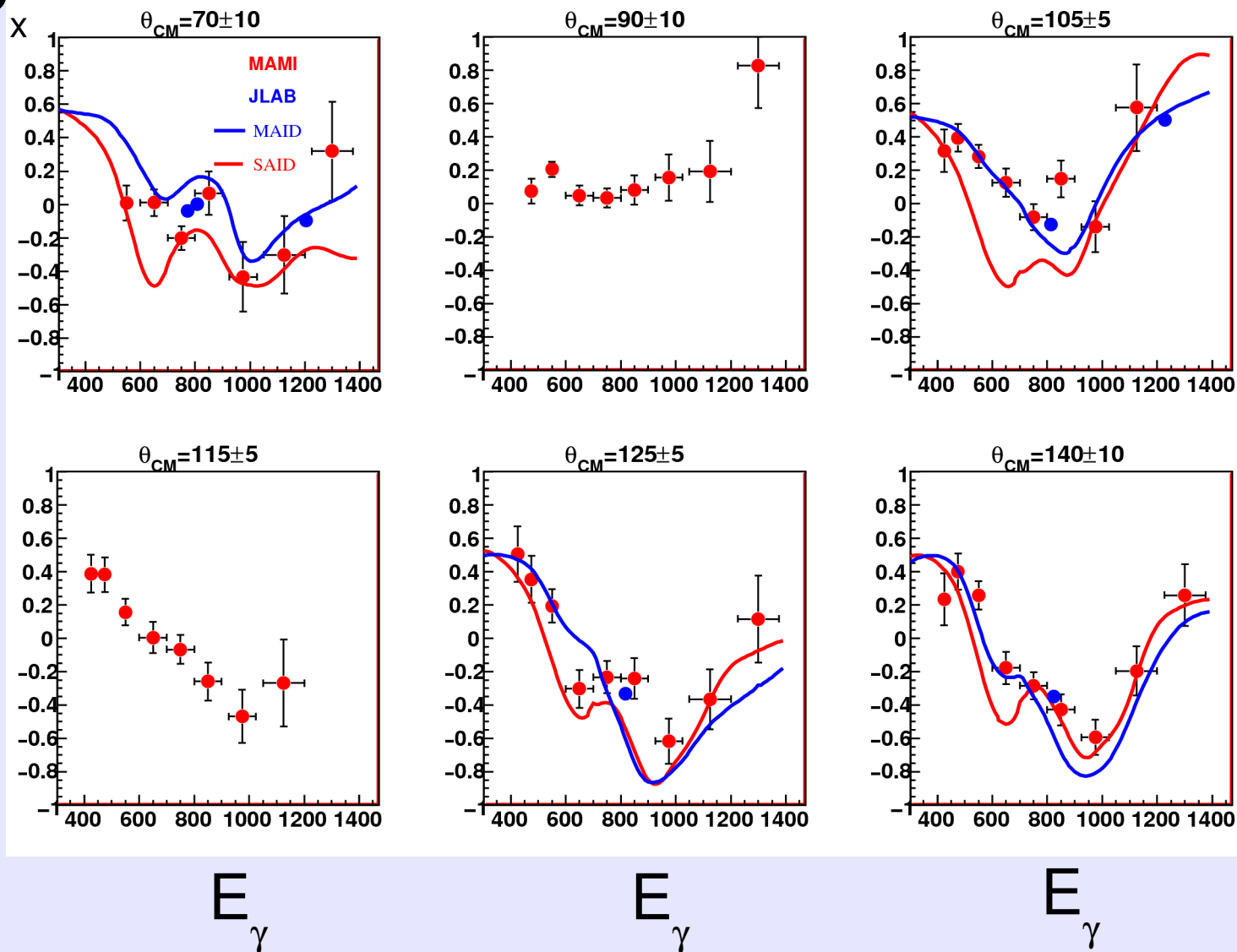


Overall detection eff.  $\sim 2\text{-}3\%$ , analysing power  $\sim 0.2$

# Preliminary $\pi^0 C_x$ Results

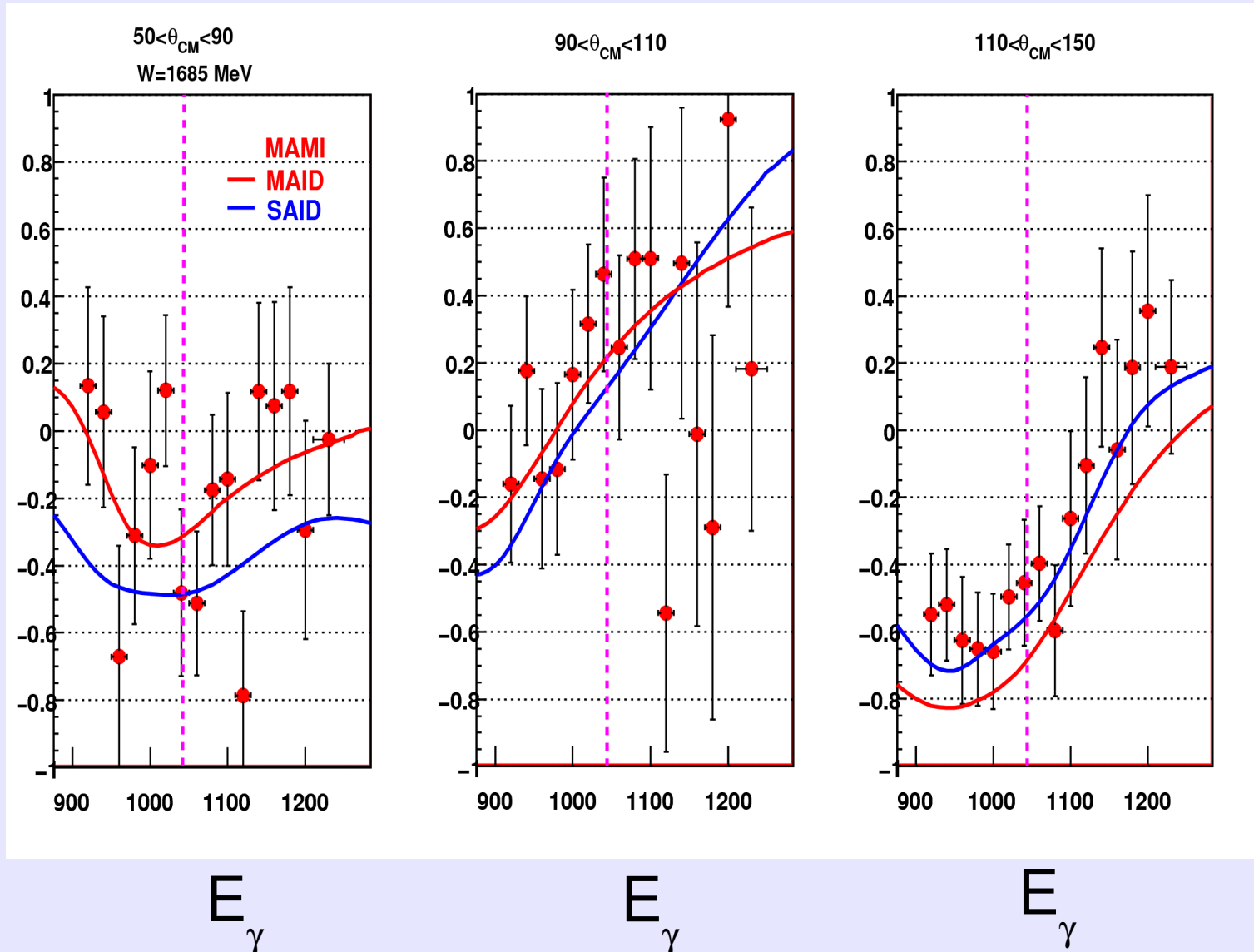
- Divide real data asymmetries by MC analysing pow.

C



# Preliminary $\pi^0 C_x$ Results

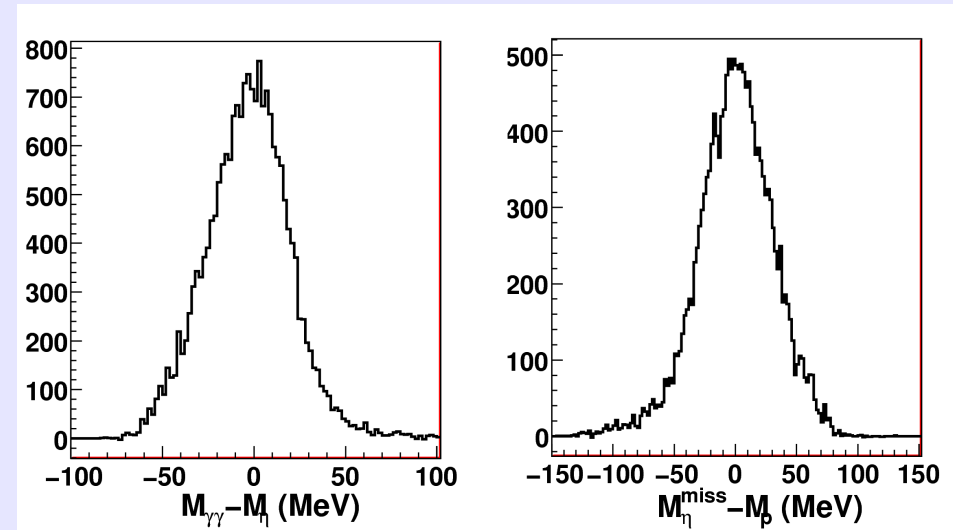
Do we see any narrow structure around 1685 MeV ?



# $\eta$ photoproduction data analysis

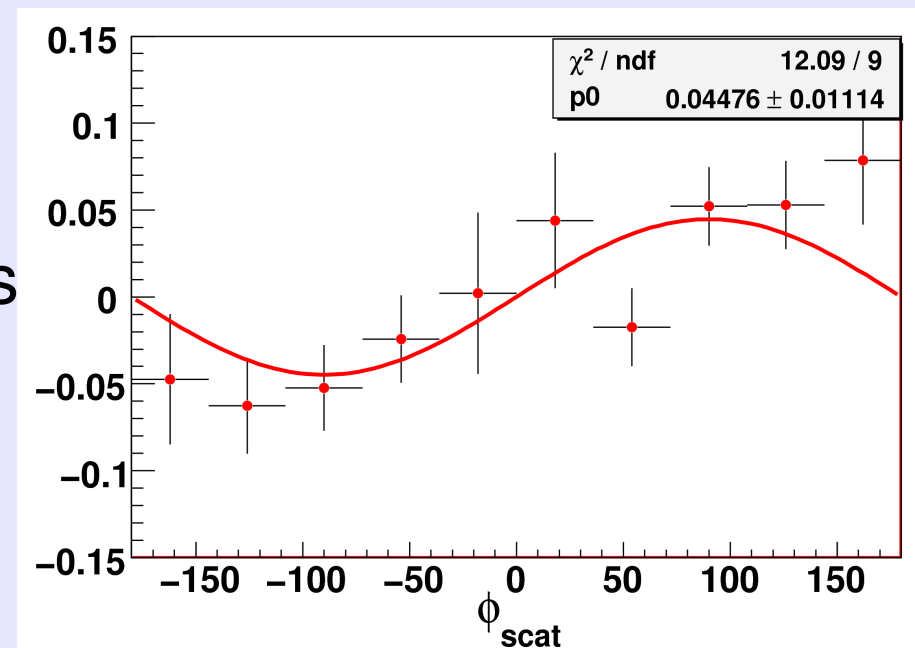
Same algorithm as for  $\pi^0$  analysis

Select on  $\eta$  mass



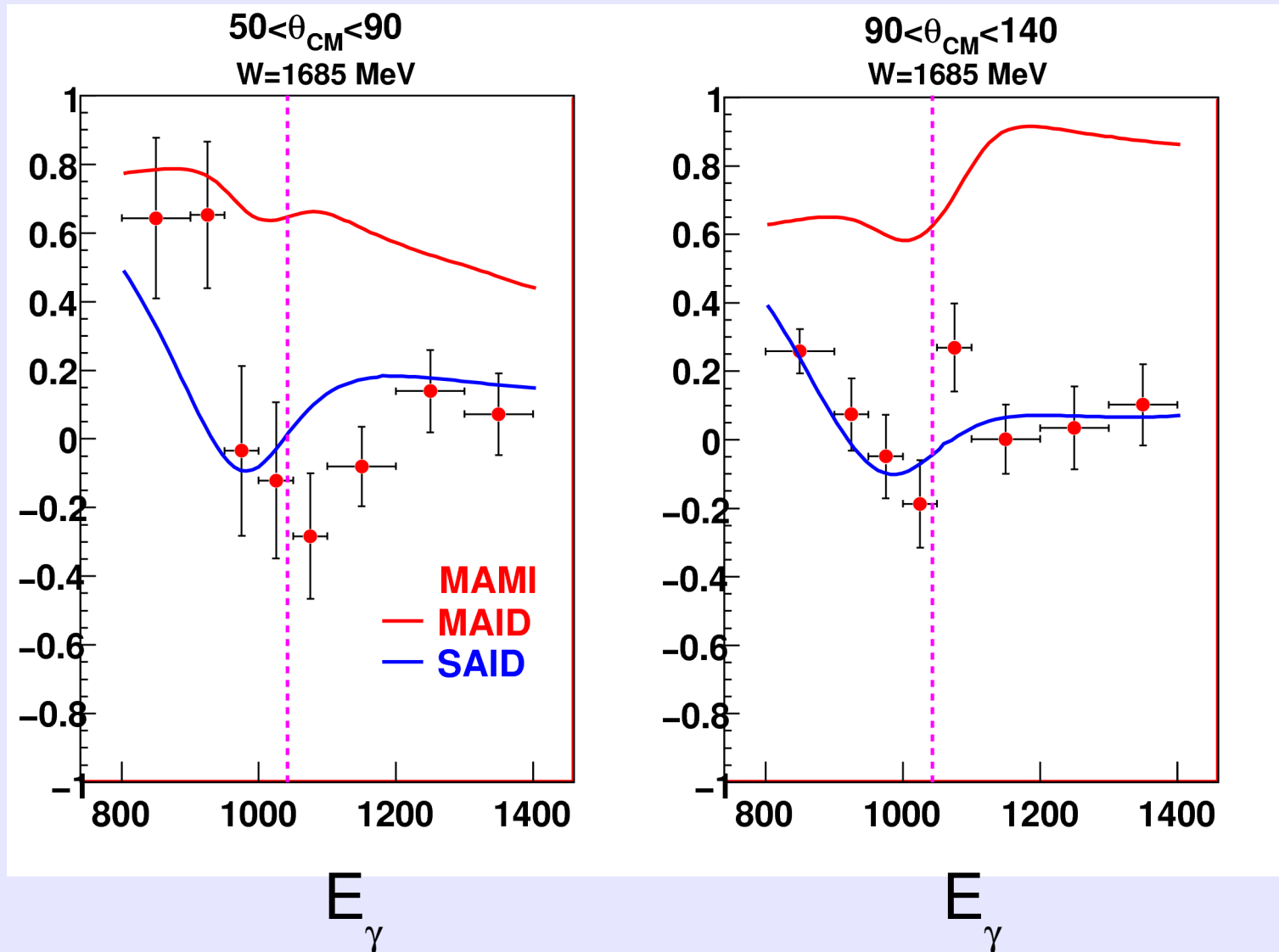
Reconstruct  $\phi_{\text{scat}}$  helicity asymmetries

Assume Analysing power = 0.3



# Very Preliminary $\eta$ $C_x$ Results

Do we see any narrow structure around 1685 MeV ?





# Current Status

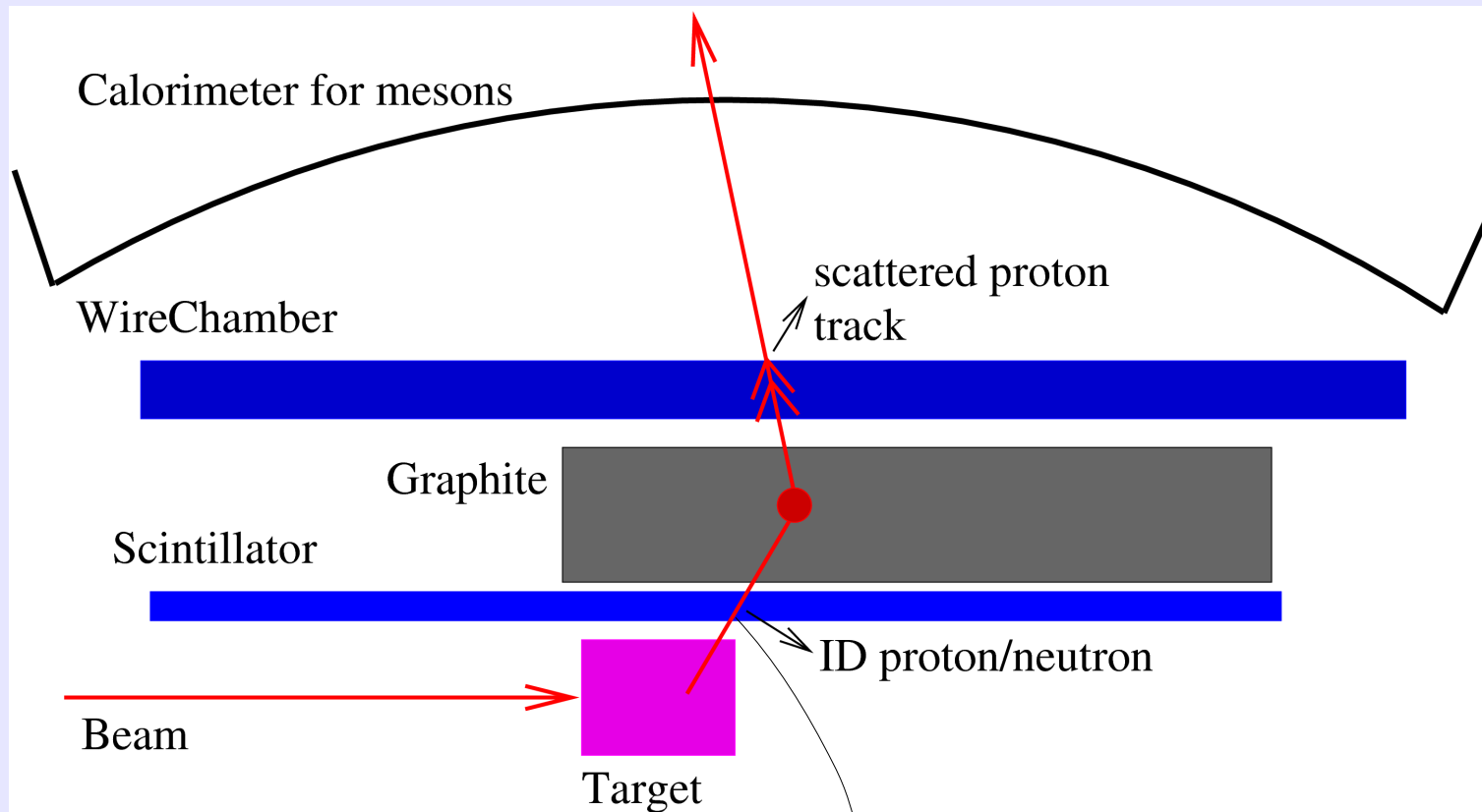
- Preliminary analysis of  $C_x$  for  $\pi^0$  and  $\eta$  photoproduction on the proton completed
- Finalising analysing power calibration
- Monte Carlo acceptance for P
- Linearly polarised photons for  $450 < E_\gamma < 650$  MeV for  $O_x$  and T
- Also measure  $2\pi^0$  channel

# Future plans

Ultimately we would like recoil polarimetry for:

- **CHARGED** and neutral meson photoproduction
- Protons and **NEUTRON** targets
- Large acceptance
- New design for MAMI/ELSA PAC

# New Central Nucleon Polarimeter Design



Not to scale!

- Scattered vector from wirechambers + Track back to graphite for incident vector

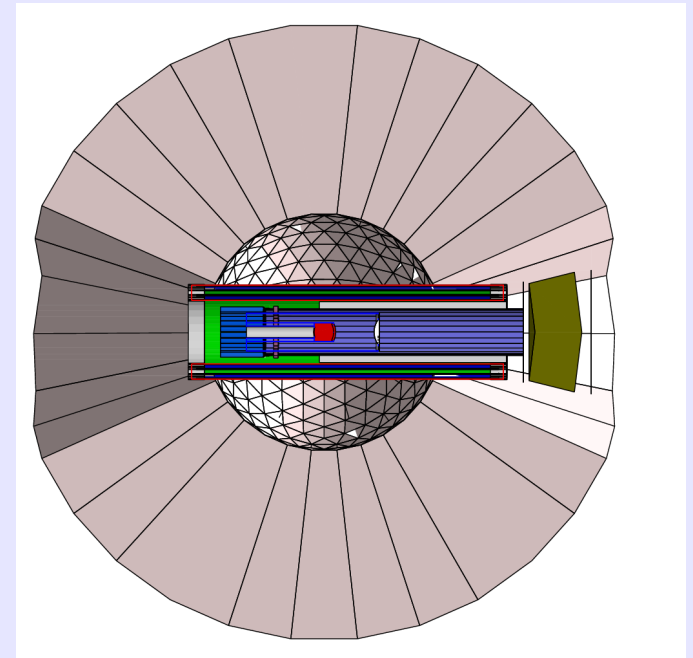
$$\longrightarrow \theta_{sc}, \phi_{sc}$$

- Use np charge exchange as neutron analyser

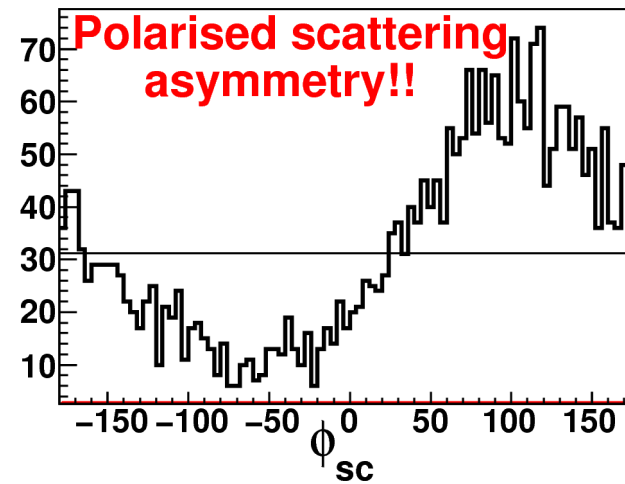
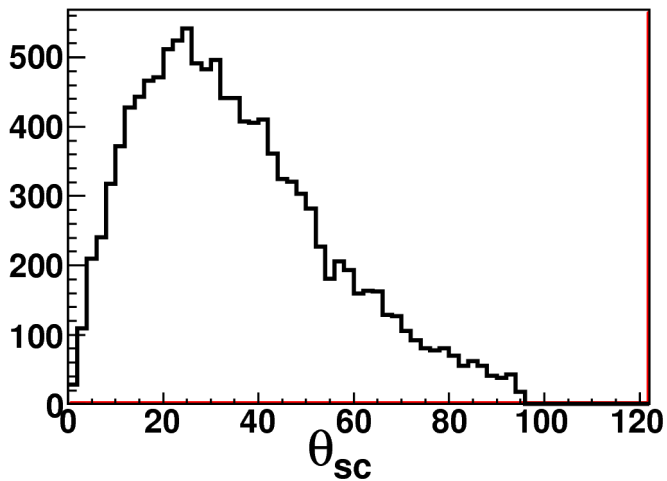
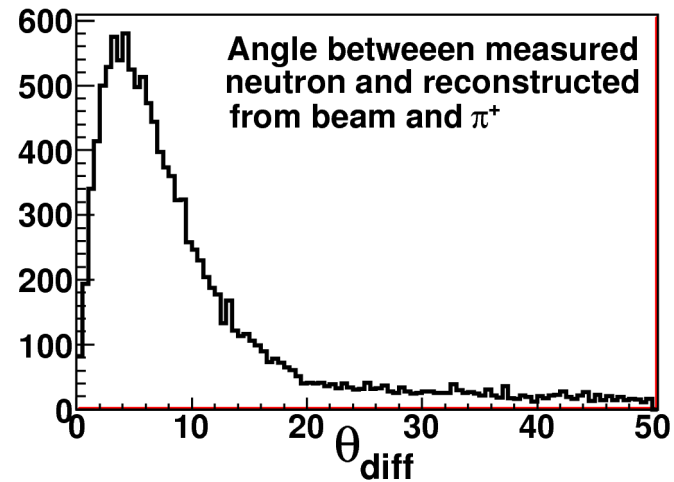
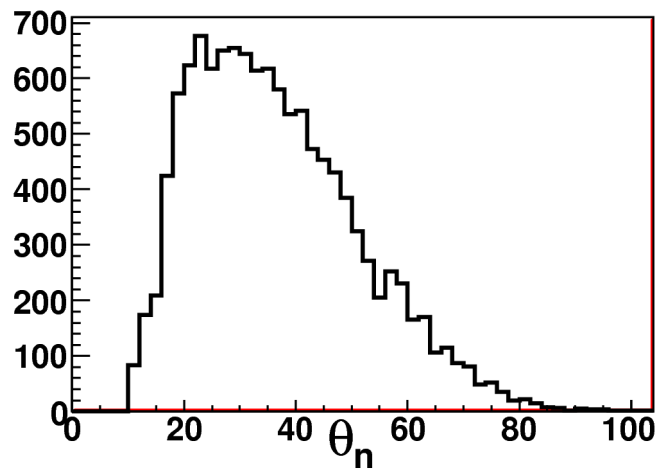
**POLARISATION**

# Example $\gamma p \rightarrow \pi^+ n$

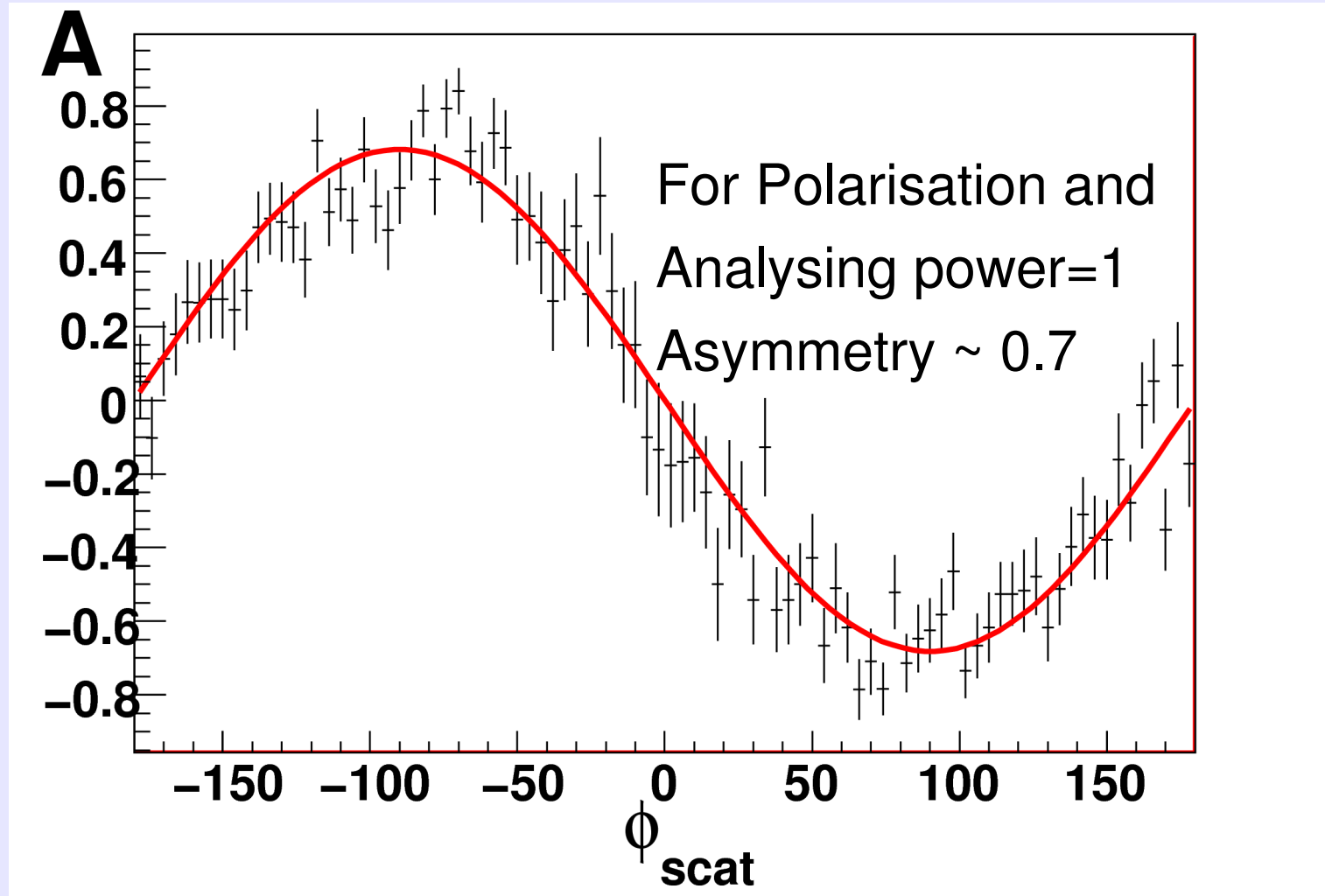
- Implement new design into CrystalBall Monte Carlo model
- Track  $\pi^+ n$  events and analyse output
- $\pi^+$  ID from  $\Delta E$ -E technique
- n/p charge exchange from wire chamber track with no scintillator hit
- Polarimetry information comes just from track



# Simulation Spectra for $\pi^+ n$



# Simulation Results for $\pi^+ n$



Detection Efficiency  $\sim 1\%$

**We can produce measurable asymmetries!**

# Comparison of old and new

Relative figure of merit for proton and neutron polarimeter,

$$\frac{F_n}{F_p} = \frac{A_{pow}^n \sqrt{\epsilon^n}}{A_{pow}^p \sqrt{\epsilon^p}} \sim \frac{0.1 \cdot \sqrt{1}}{0.2 \cdot \sqrt{2.5}} = 0.25$$

Proton beamtime=2.5 weeks,

Therefore 10 weeks required for similar results with neutrons  
i.e 6-8  $\theta$  bins, 50 MeV  $E_\gamma$  bins, (100 MeV above 1.3GeV)  $\sigma \sim 0.05-0.1$

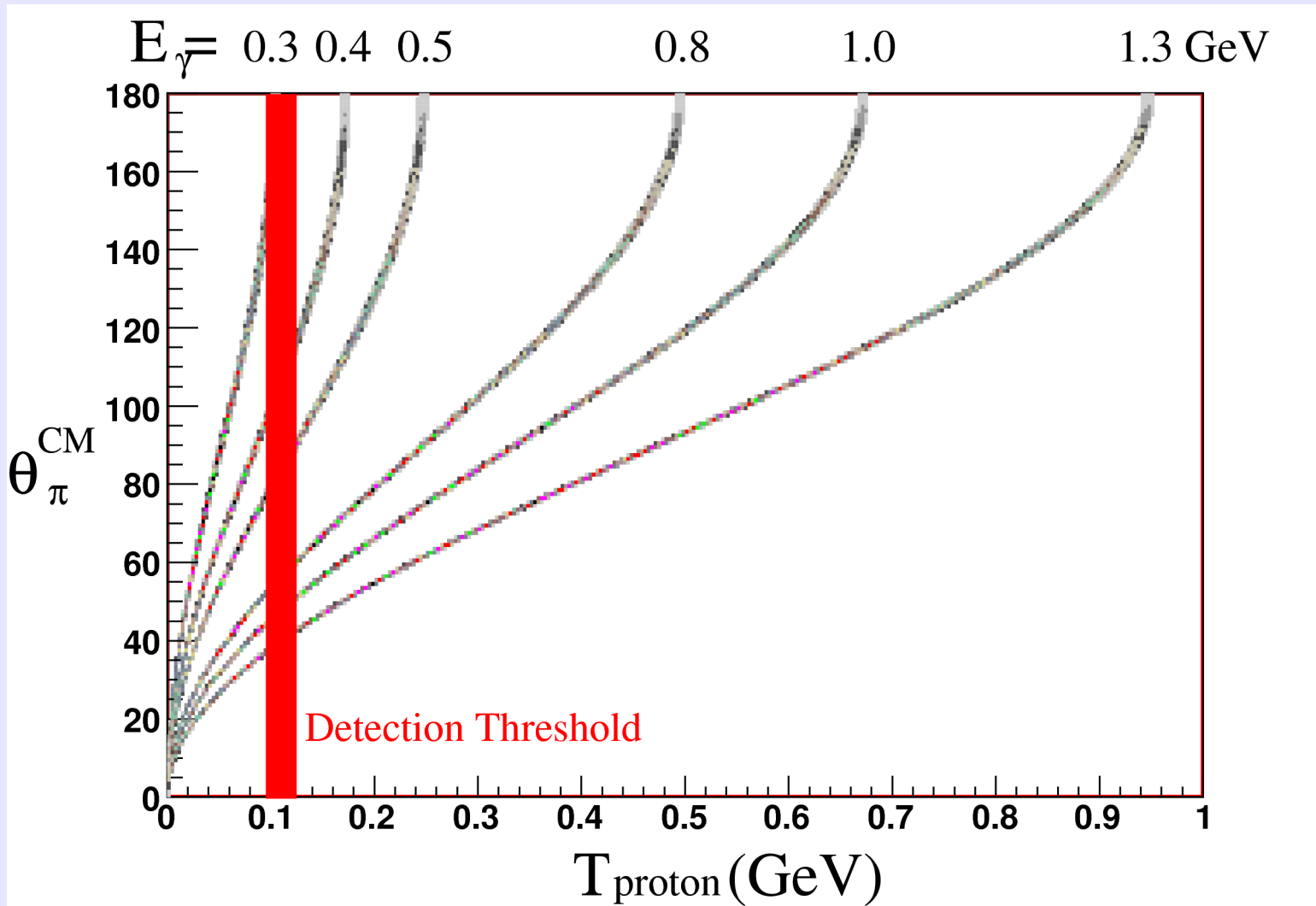
With Deuteron target would simultaneously measure  $\pi^0, \pi^+, \pi^-, \eta$   
4 times as many bins with proton in final state

# Summary

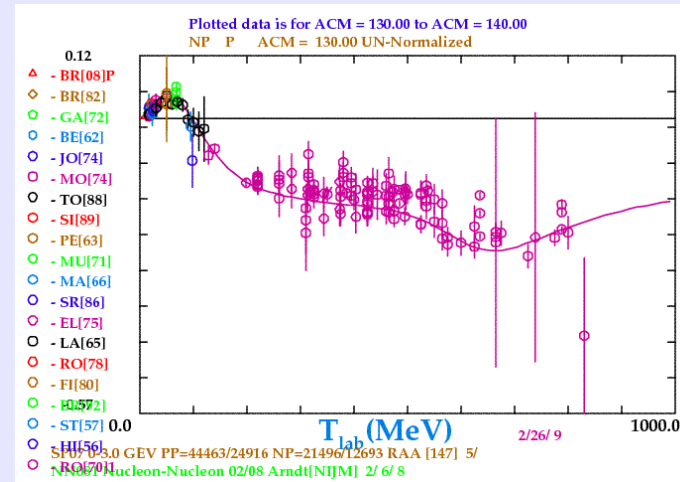
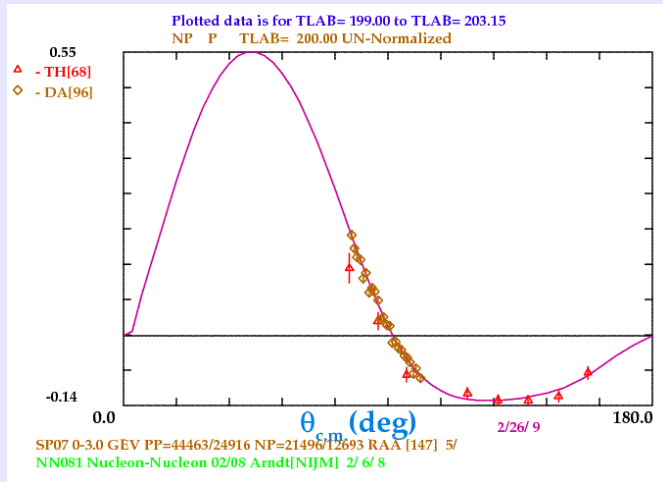
- A novel large acceptance recoil polarimeter has been established with the CrystalBall@MAMI
- Recoil polarisation measurements give new sensitivity to reaction amplitudes and are important for nucleon resonance extraction
- Preliminary  $\pi^0$  results have qualitative agreement with MAID and SAID predictions
- Hint of some structure at 1685 MeV in very preliminary  $\eta$ ,  $C_x$  analysis
- What do the models say about this?



# Kinematics and Acceptance

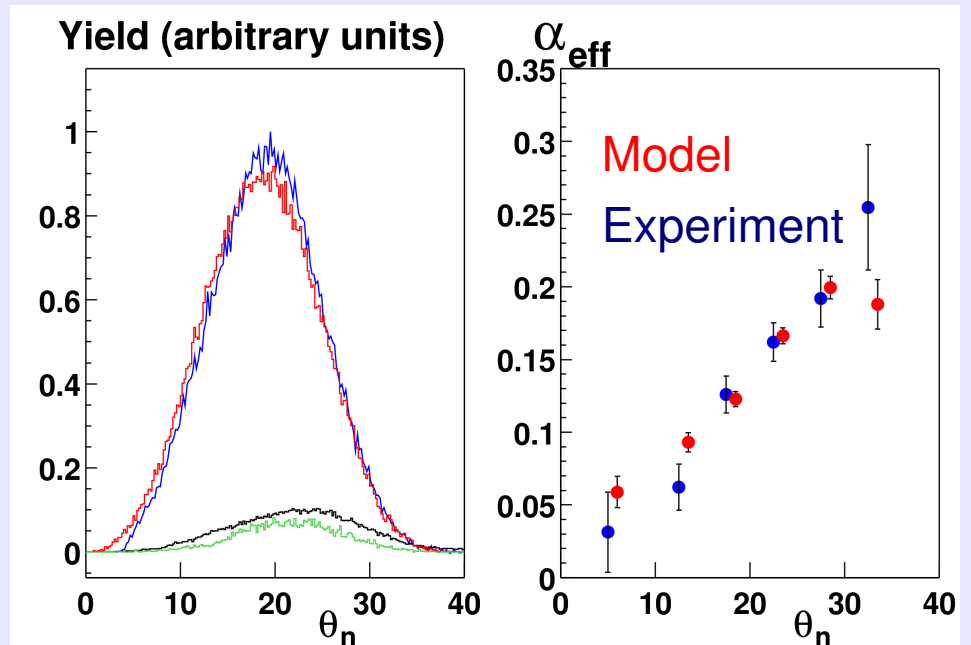


# Analysing Power for n/p charge exchange



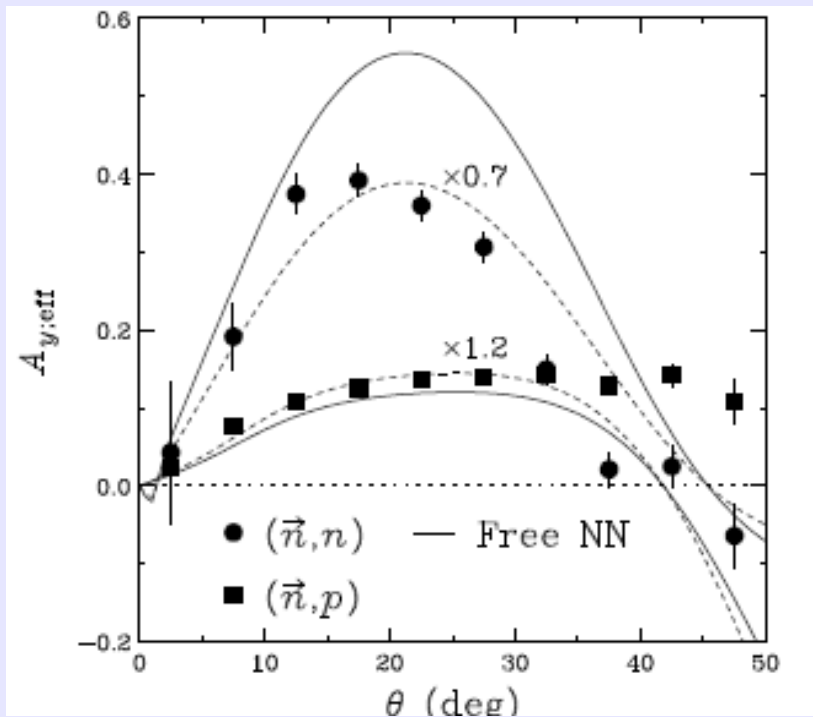
D. Glazier, PhD Thesis,  
 University of Glasgow, 2003  
 n/p Charge exchange on CH2 at 400 MeV  
 well modelled by quafree model

see also NPOL3, NIM A547, (2005) 569  
 +C(n,p) scattering papers  
 Analysing Power 0.1-0.2  $T_n > 150$  MeV

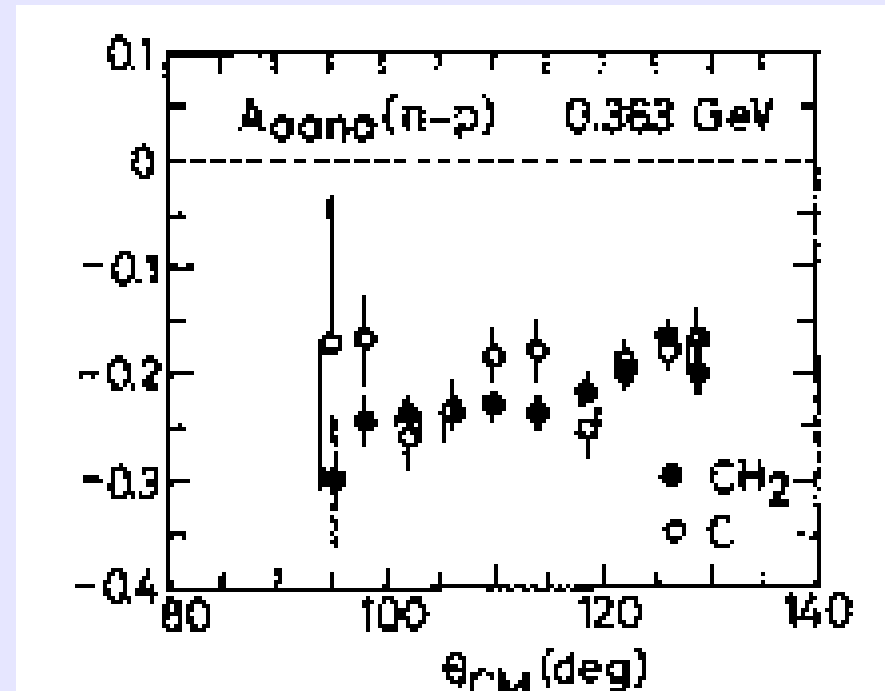


# Analysing powers for $^{12}\text{C}(n,p)$ scattering

- Previous polarimeters (e.g. Yerevan) use  $^1\text{H}(n,p)$  analysing powers for  $^{12}\text{C}(n,p)$ .
- Supported by recent RCNP measurements, older Saclay data, A1 at MAMI



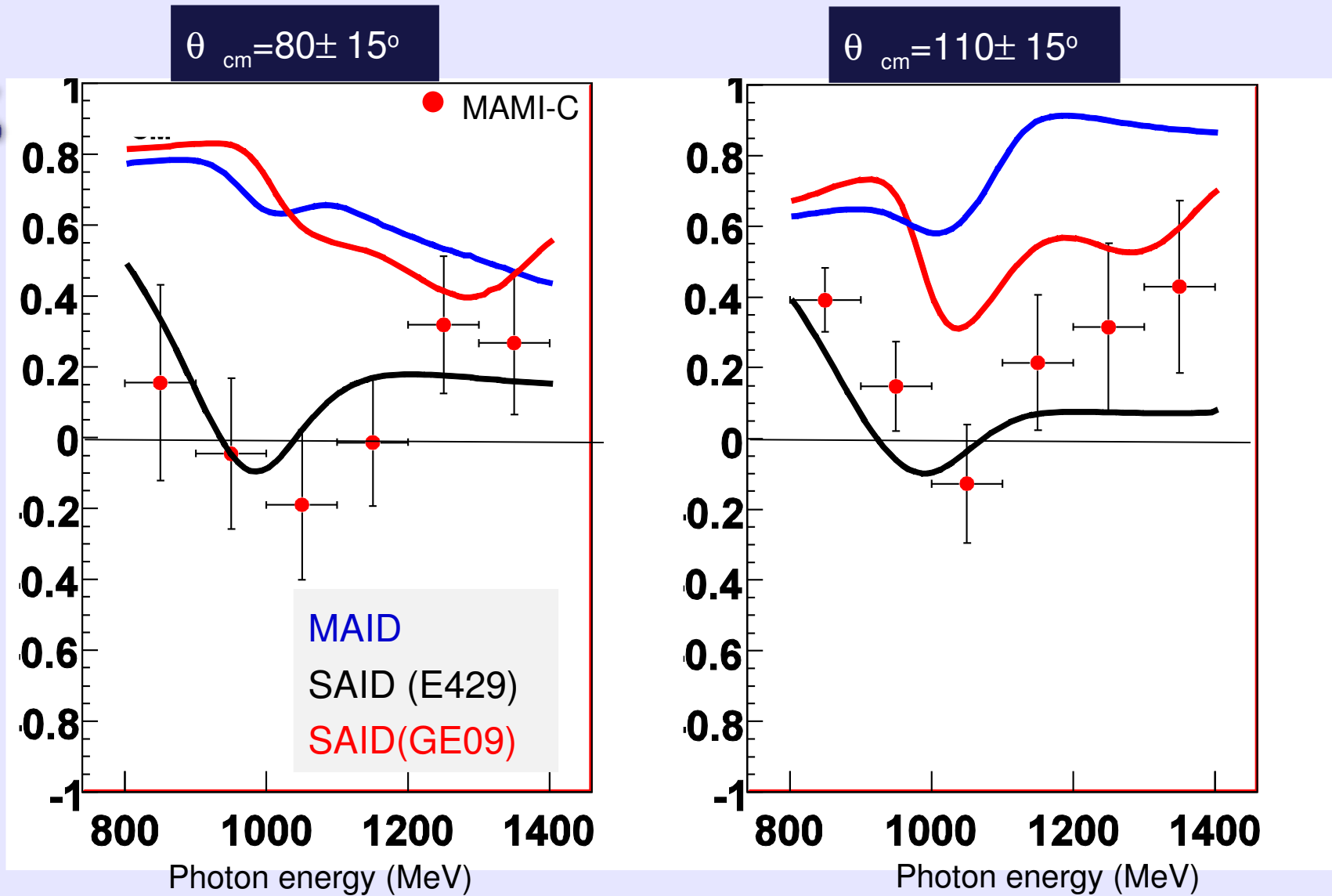
Wakasa et. al. NIM A547 (2005) 269  
NPOL3 at RCNP Cyclotron



Saclay measurements

# $p(\gamma, \eta)p C_x'$

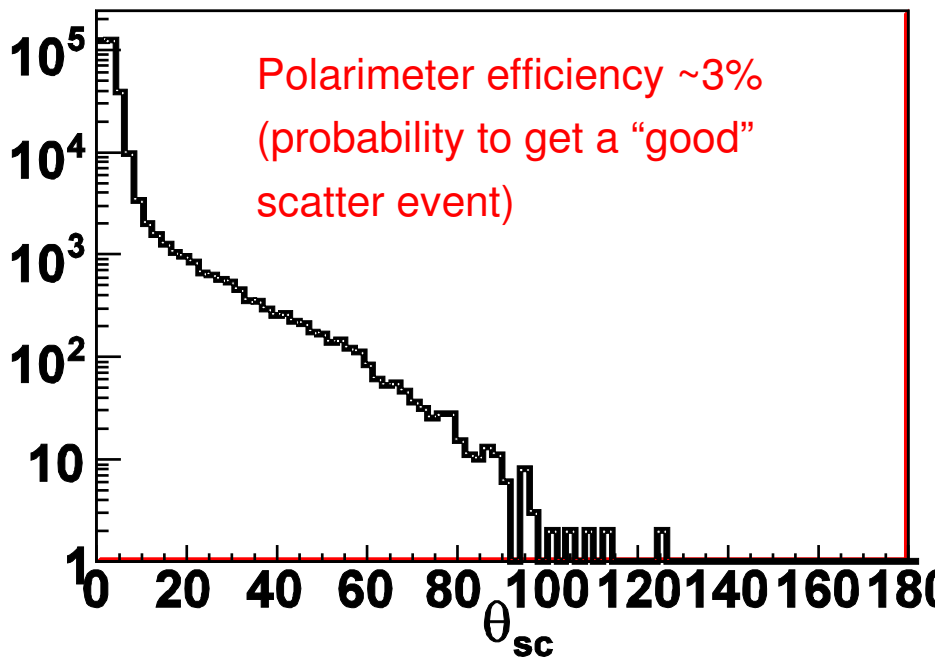
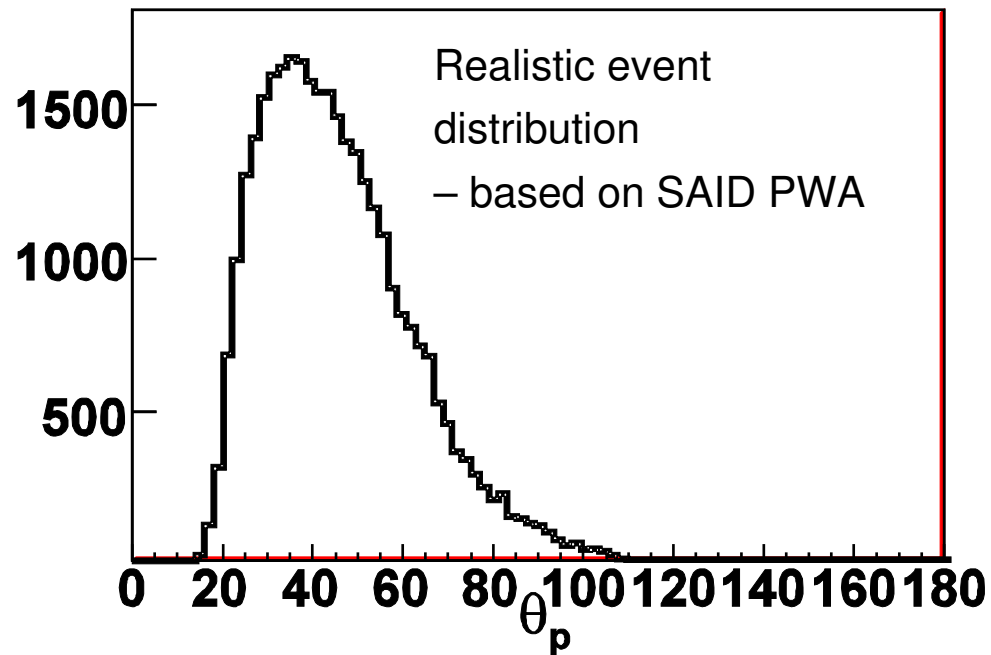
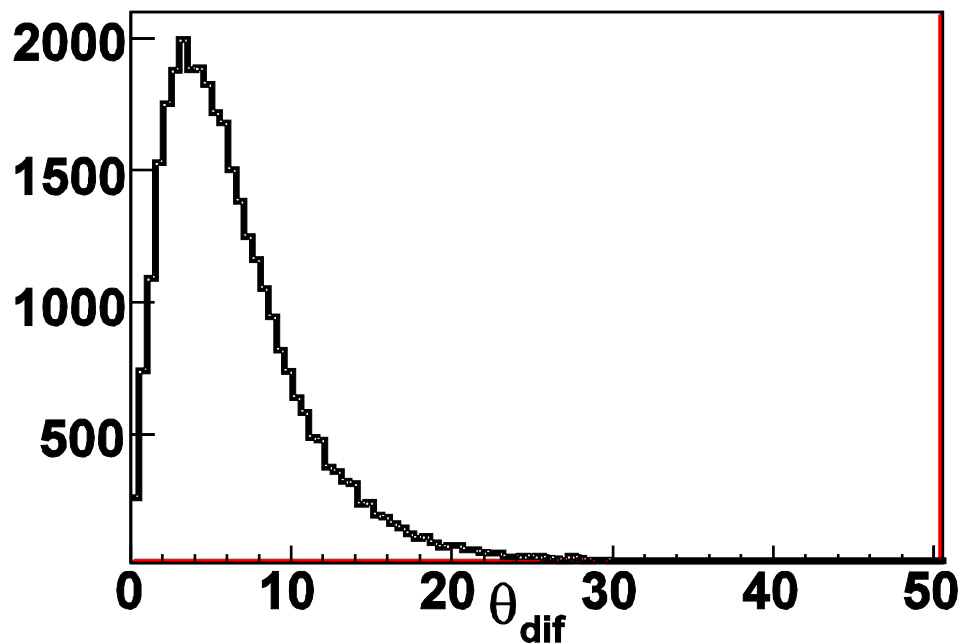
Preliminary!



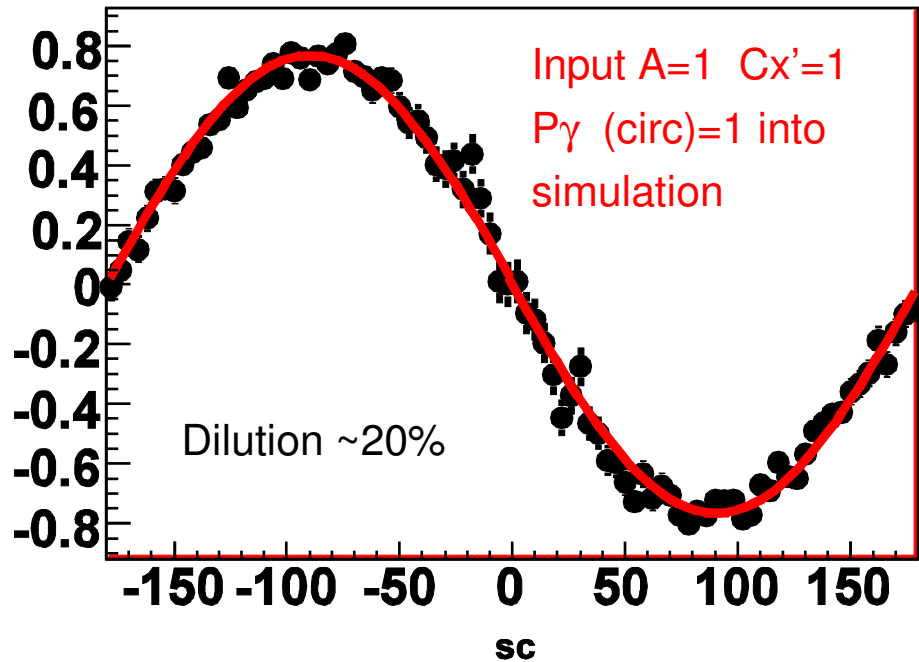
- First measurement of beam-recoil observable in  $\eta$  photoproduction

- Next steps  $O_x, P, T$  also  $p(\gamma, 2\pi)$  and  $p(\gamma, \pi \eta)$  channels

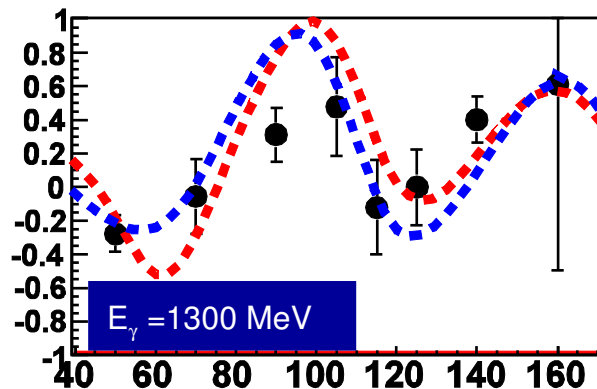
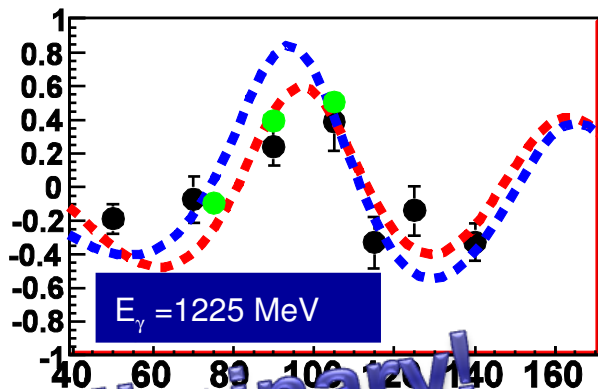
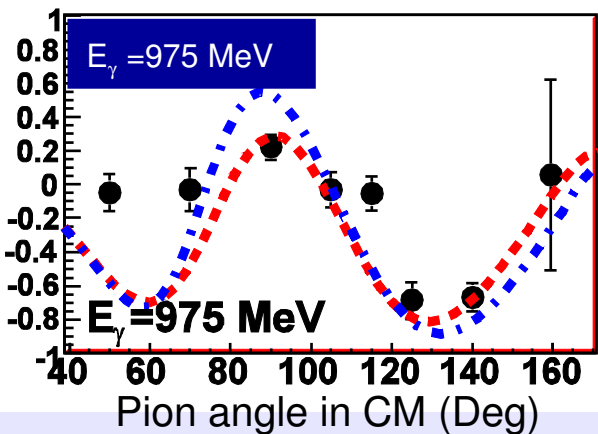
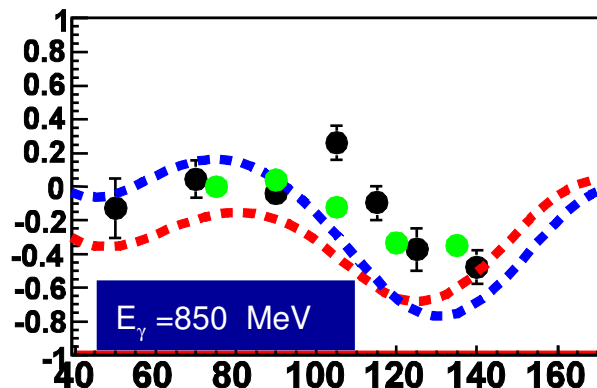
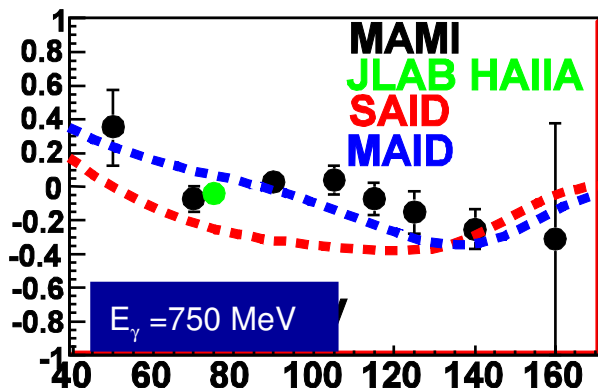
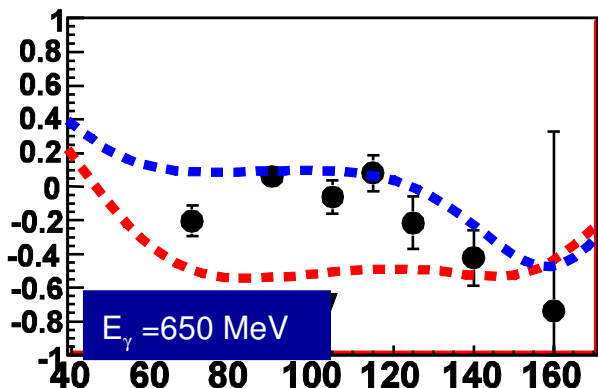
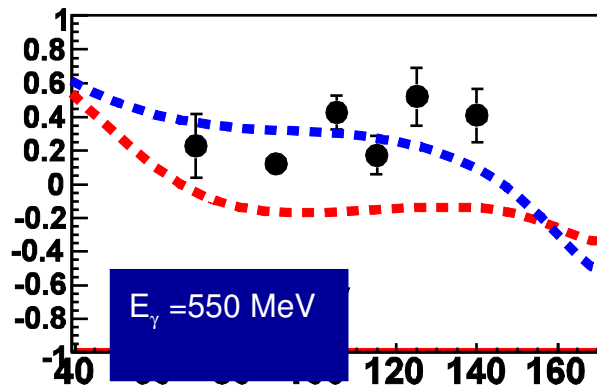
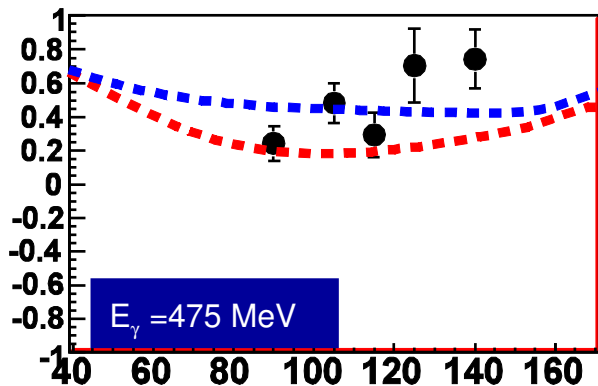
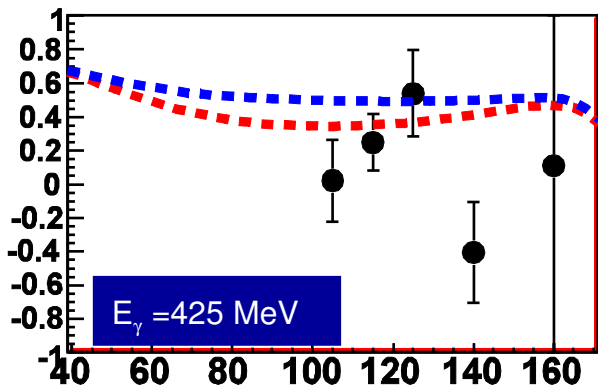
# G4 – Stationary proton target: $p(\gamma, \pi^0)p$



$$\frac{N^+(\phi'_p) - N^-(\phi'_p)}{N^+(\phi'_p) + N^-(\phi'_p)} = C_{x'} P_{\gamma}^{circ} A \sin \phi'_p$$



# $C_y$ - transferred poln. from circ. pol $\gamma$ : $\rho(\gamma, \pi^0)\rho$



Preliminary!

